



ECE606: Solid State Devices

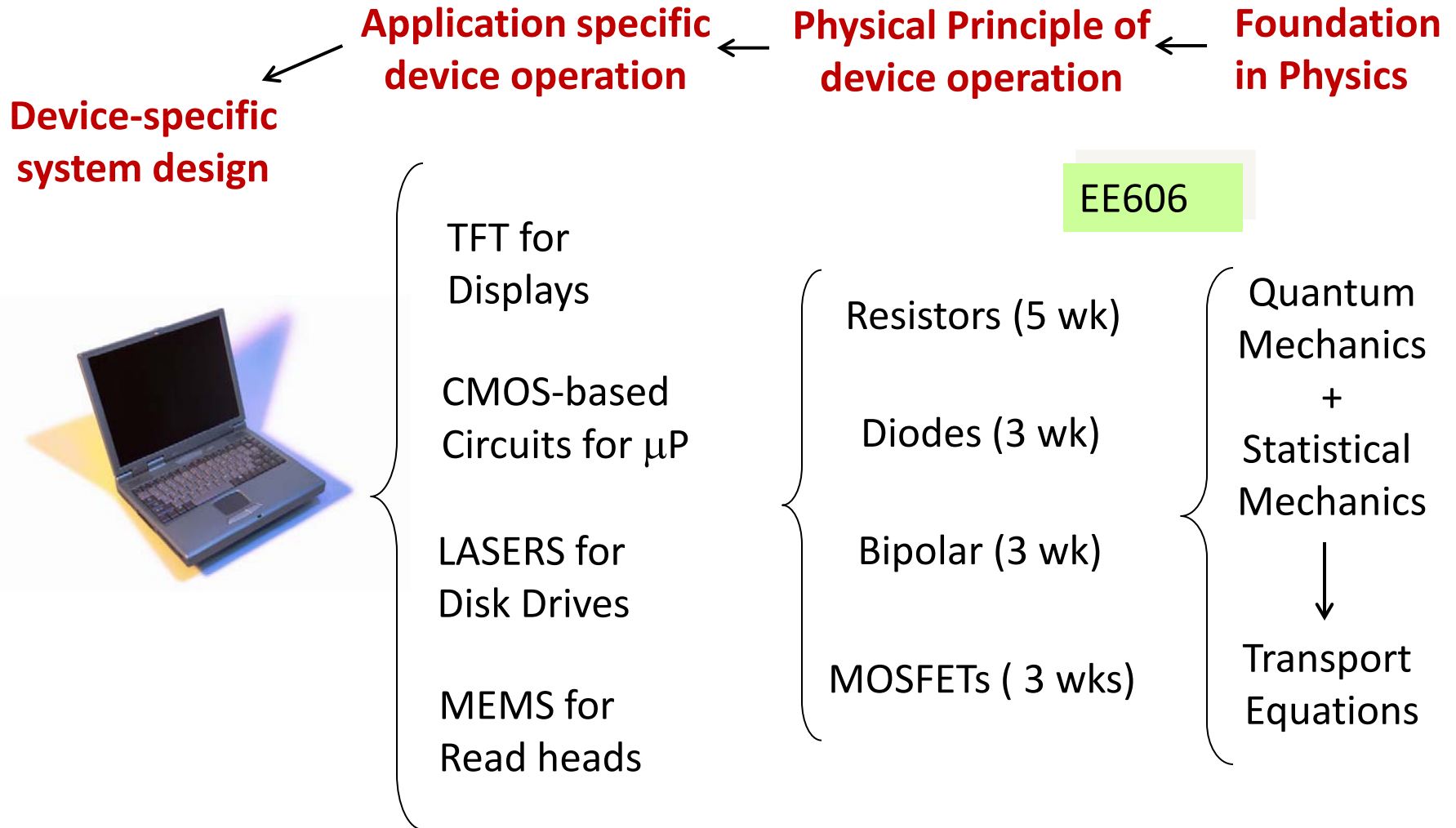
Lecture 40: Looking Back and Looking Ahead

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Outline

- 1. Looking Back: Quick review of what we learned**
2. New devices – looking ahead
 - a. flexible electronics
 - b. solar cells, and
 - c. Nanobio sensors
3. Conclusion

Outline of the Course



Quantum, Statistical Mechanics to Devices

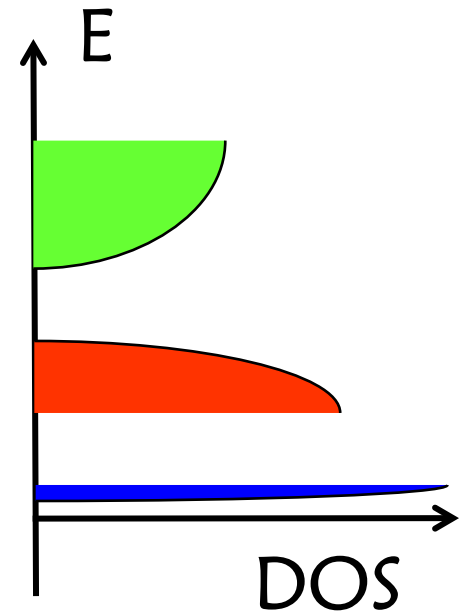
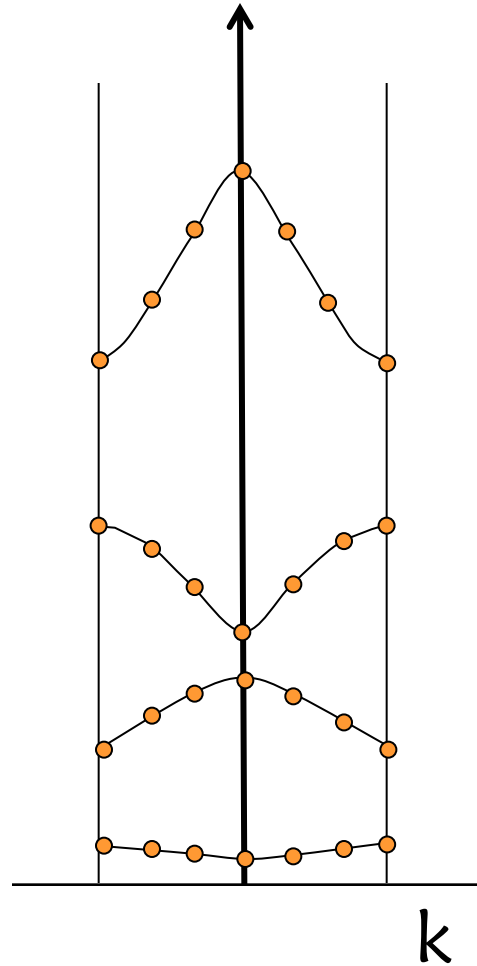
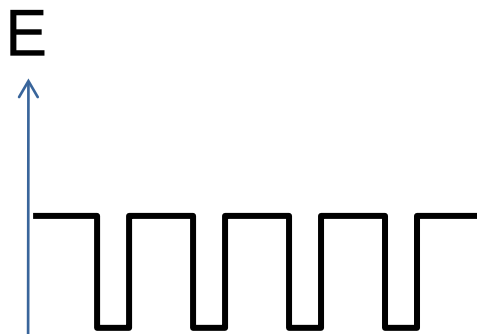
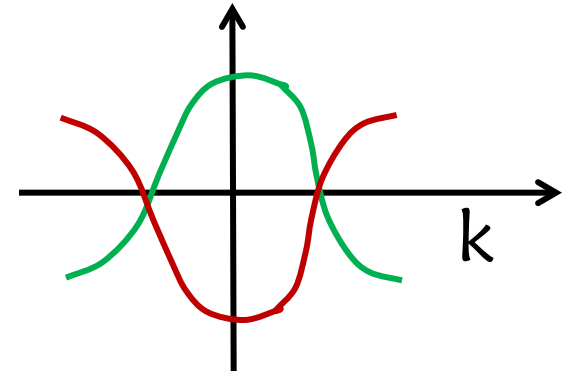
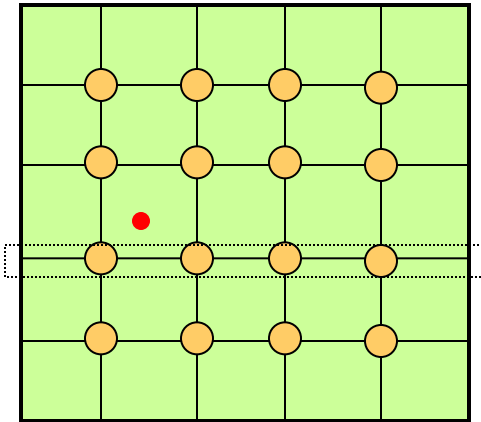
$$(m^*, E_g) + f$$

$$\rightarrow N_C, N_V, \mu, \tau$$

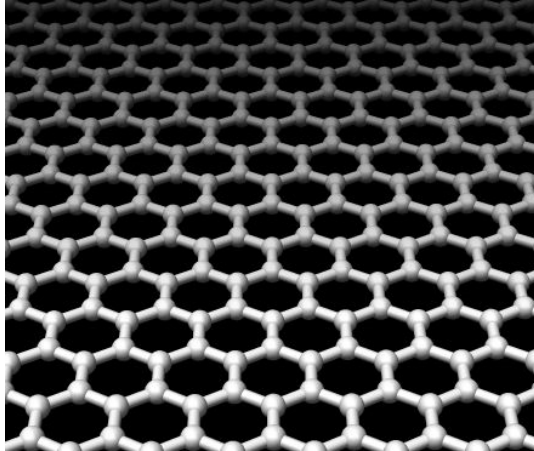
$$\rightarrow n \times p = n_i^2 e^{(F_n - F_p) \beta}$$

A Quick Summary

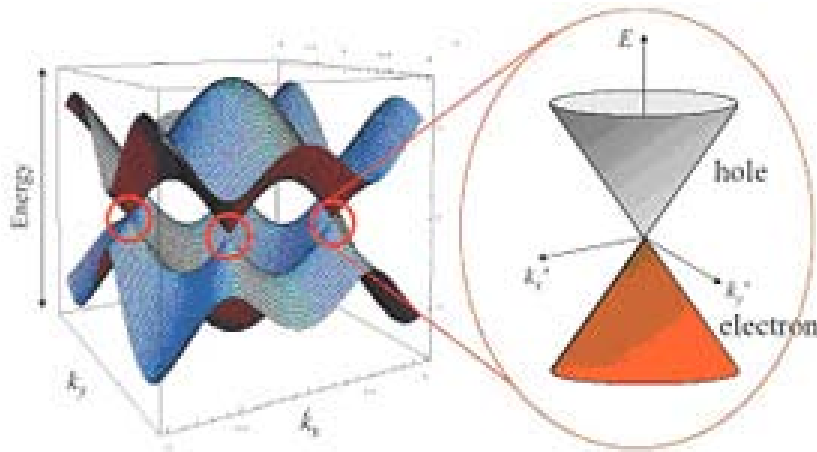
$$\frac{1}{m^*} = \frac{1}{\hbar^2} \frac{d^2 E}{dk^2}$$



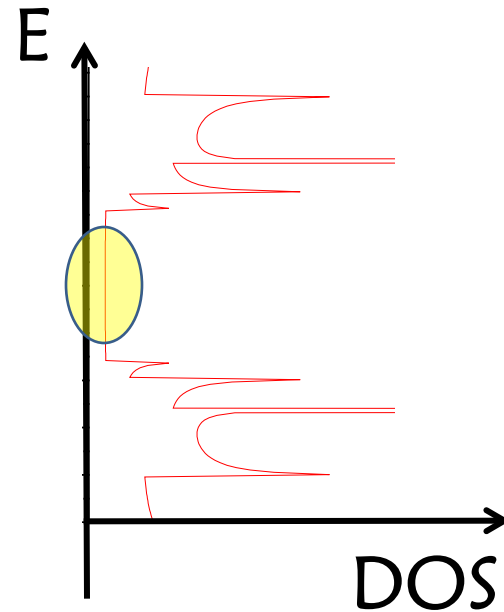
Graphene and other materials ..



$$\frac{1}{m^*} \neq \frac{1}{\hbar^2} \frac{d^2 E}{dk^2}$$



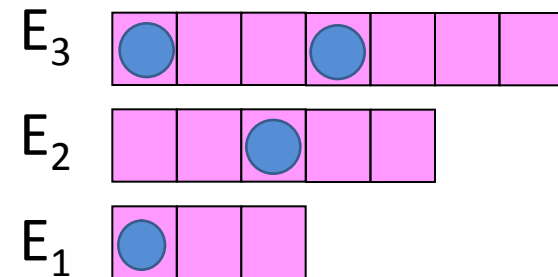
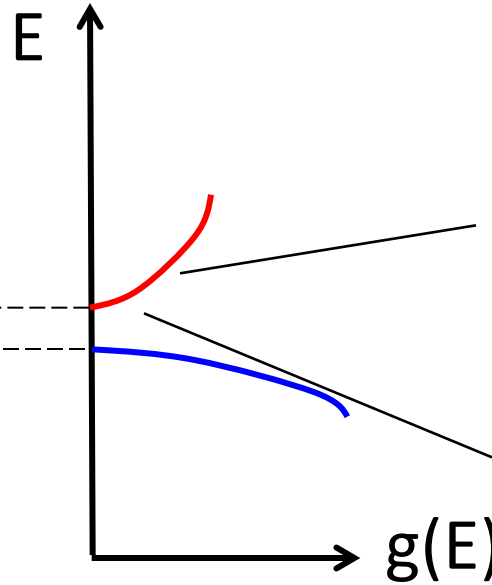
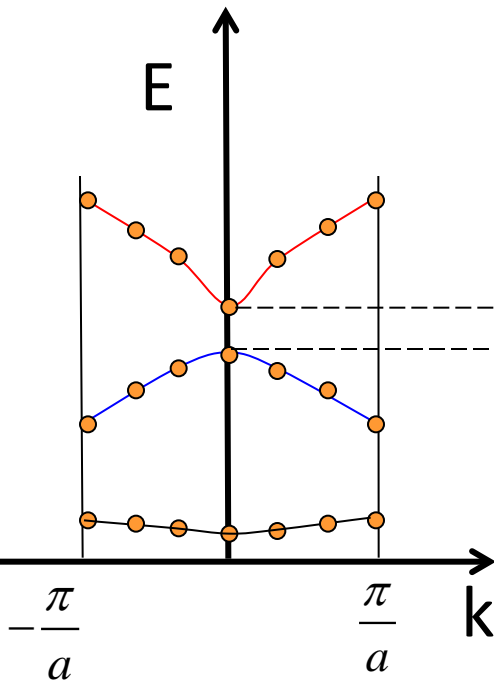
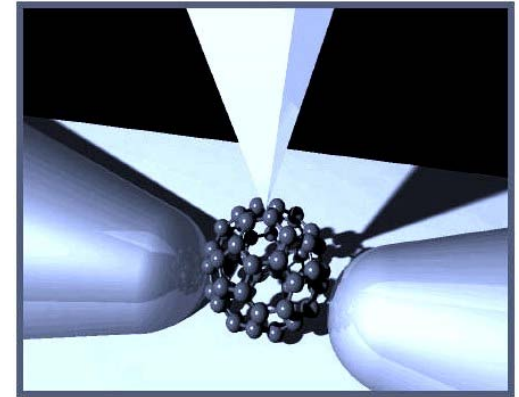
www.magnet.fsu.edu



On Fermi Functions

Energy-Band

Density of States



$$f_D = \frac{N_D}{1 + g_D e^{(E_F - E_D)/k_B T}}$$

Importance of correlation - free vs. localized states

Equations to solve ... analytical/numerical approach

$$\nabla \cdot D = q(p - n + N_D^+ - N_A^-)$$

← Band-diagram

$$\frac{\partial n}{\partial t} = \frac{1}{q} \nabla \cdot \mathbf{J}_N - r_N + g_N$$

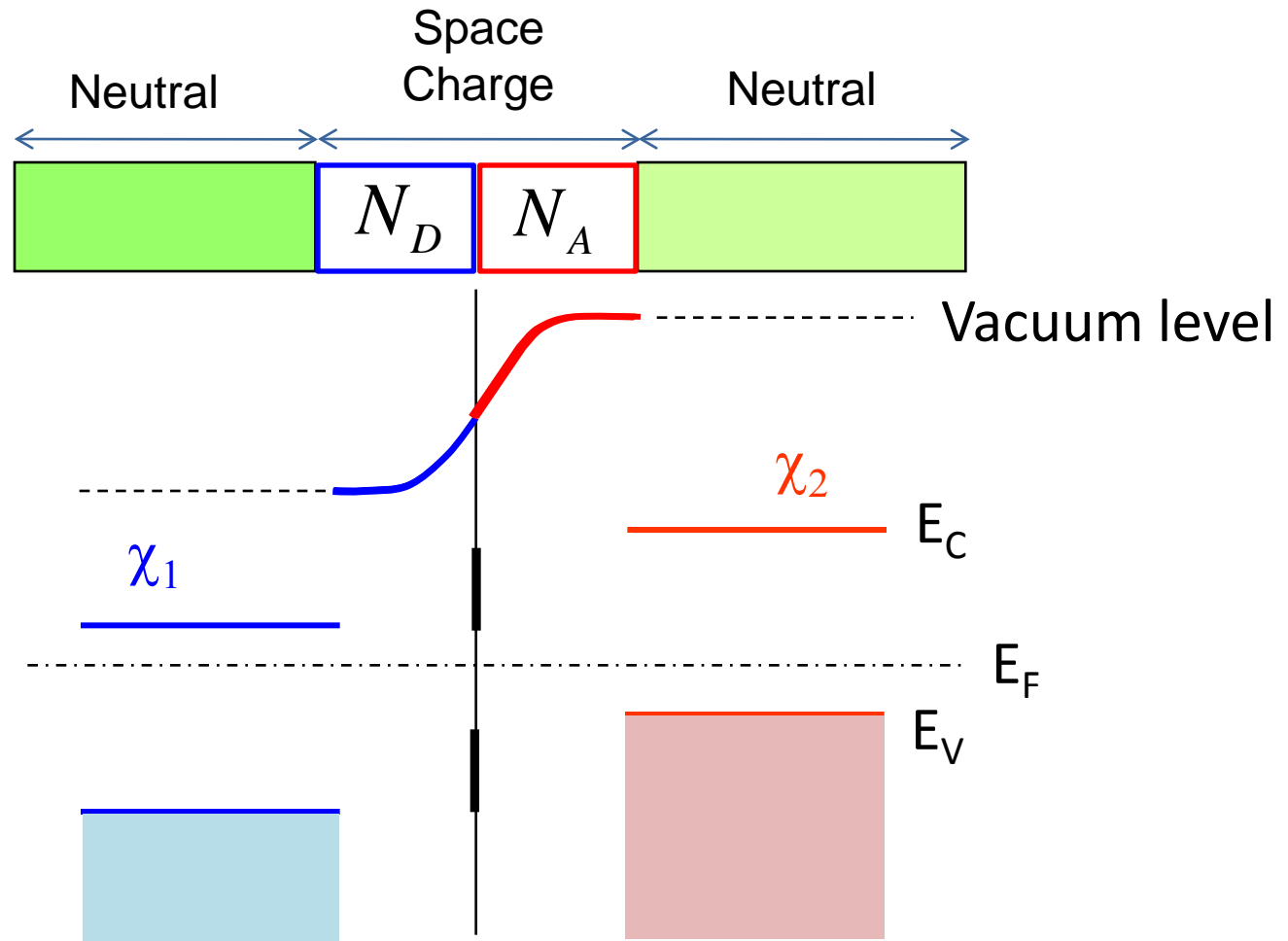
$$\mathbf{J}_N = qn\mu_N \mathbf{E} + qD_N \nabla n$$

$$\frac{\partial p}{\partial t} = \frac{-1}{q} \nabla \cdot \mathbf{J}_P - r_P + g_P$$

← Diffusion approximation,
Minority carrier transport,
Ambipolar transport

$$\mathbf{J}_P = qp\mu_P \mathbf{E} - qD_P \nabla p$$

Short-cut to Band-diagram



... is equivalent to solving the Poisson equation

Minority Carrier Diffusion

$$n(x = 0^+) = n_i e^{(F_n - E_i)\beta}$$

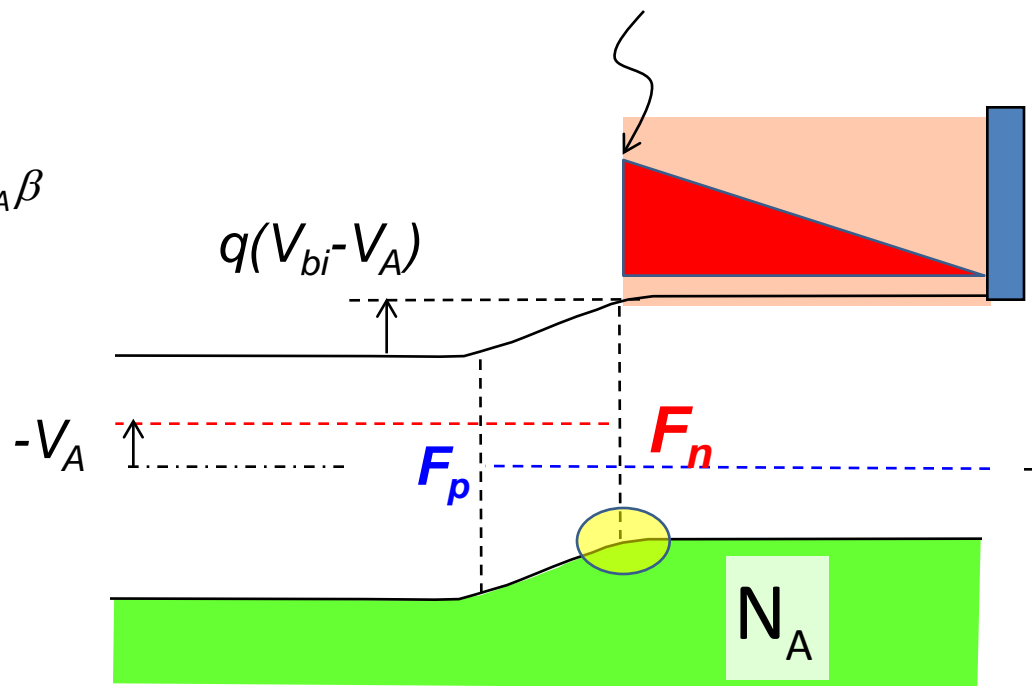
$$p(x = 0^+) = n_i e^{-(F_p - E_i)\beta}$$

$$np = n_i^2 e^{(F_n - F_p)\beta} = n_i^2 e^{qV_A\beta}$$

$$p(0^+) = N_A$$

$$n(0^+) = \frac{n_i^2}{N_A} e^{qV_A\beta}$$

$$\begin{aligned} \Delta n(0^+) &= n(0^+)_{V_G} - n(0^+)_{V_G=0} \\ &= \frac{n_i^2}{N_A} (e^{qV_A\beta} - 1) \end{aligned}$$



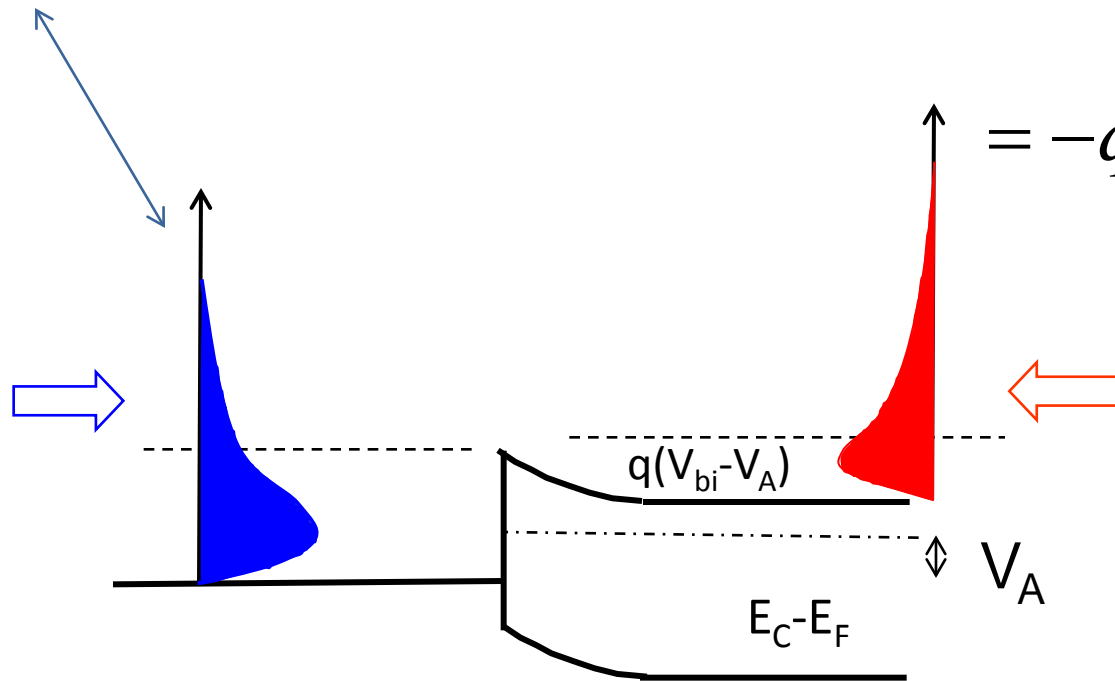
Thermionic Emission & Heterostructure Discontinuity

$$J_T(V_A) = J_{m \rightarrow s}(V_A) - J_{s \rightarrow m}(V_A) = J_{m \rightarrow s}(0) - J_{s \rightarrow m}(V_A)$$

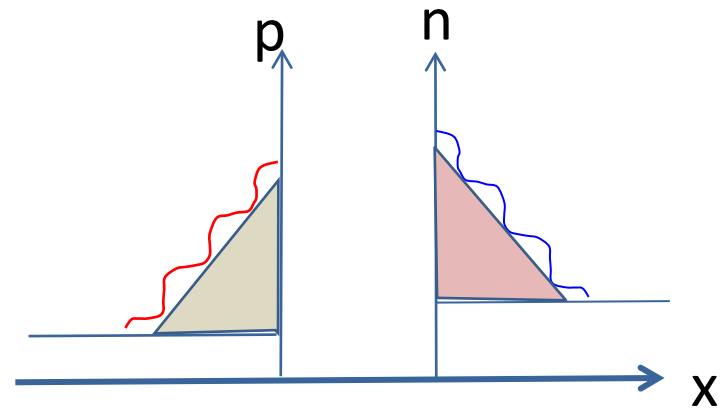
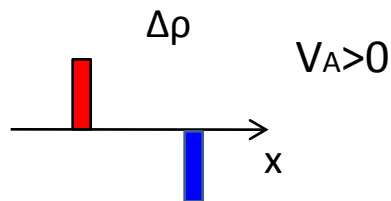
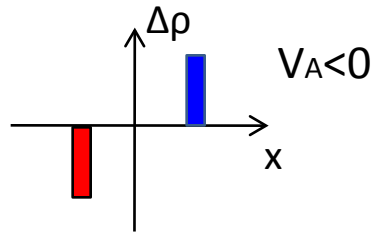
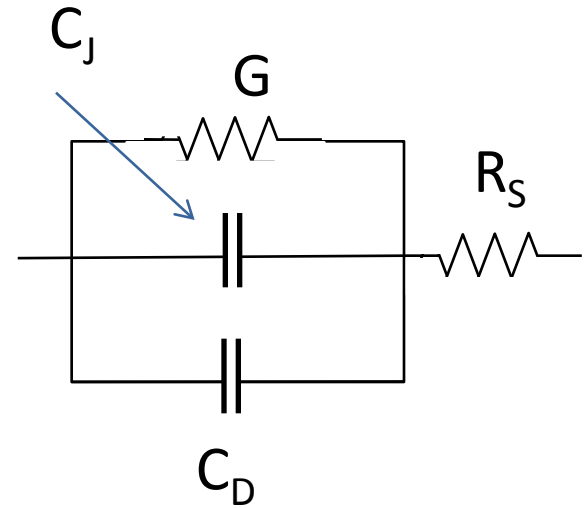
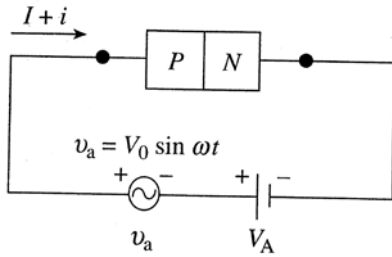
$$J_{m \rightarrow s}(V_A) = -q \frac{n_m}{2} e^{-\frac{q\Phi_B}{kT}} v_{th} \quad J_{s \rightarrow m}(V_A) = -q \frac{n_s}{2} e^{-q \frac{V_{bi} - V_A}{kT}} v_{th}$$

$$= -q \frac{n_s v_{th}}{2} e^{-\frac{qV_{bi}}{kT}} \times e^{\frac{qV_A}{kT}}$$

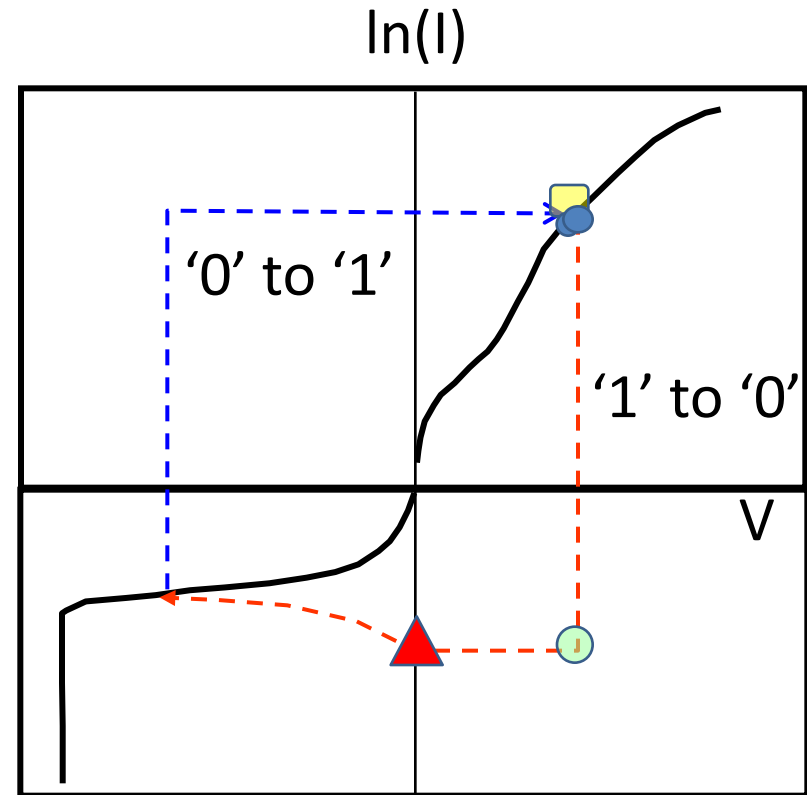
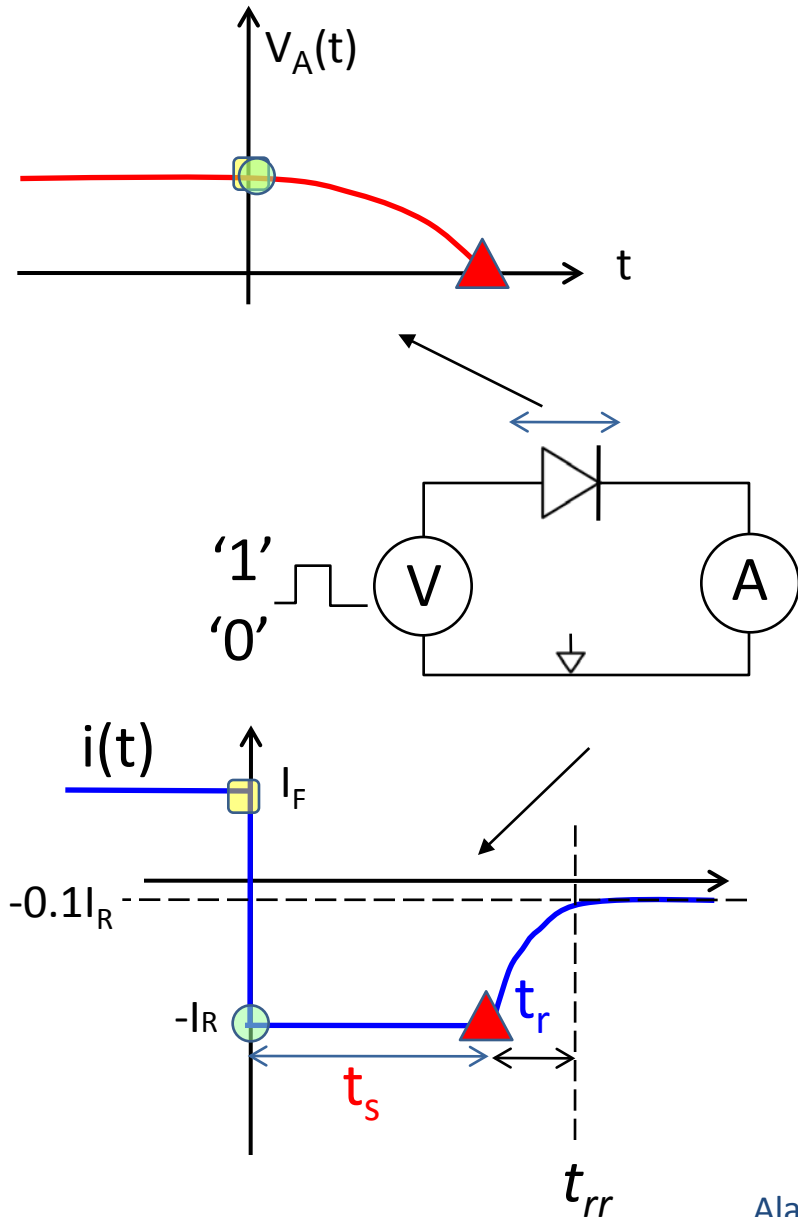
$$= -q \frac{n_m v_{th}}{2} e^{-\frac{q\Phi_B}{kT}} e^{\frac{qV_A}{kT}}$$



Small Signal AC Response

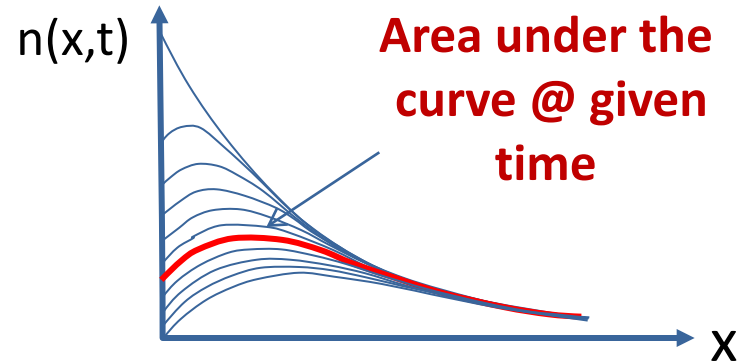


Digital, Large Signal Applications



Large Signal Charge Control Model

$$\frac{\partial(\Delta n)}{\partial t} = D_N \frac{d^2(\Delta n)}{dx^2} - \frac{\Delta n}{\tau_n}$$



$$\int_0^{W_p} \frac{\partial(qA\Delta n)}{\partial t} dx = \int_0^{W_n} D_N \frac{d}{dx} \frac{d(qA\Delta n)}{dx} dx - \int_0^{W_n} \frac{qA\Delta n}{\tau_n} dx$$

$$\frac{\partial Q}{\partial t} = D_N \left. \frac{d(qA\Delta n)}{dx} \right|_{x=W_p} - D_N \left. \frac{d(qA\Delta n)}{dx} \right|_{x=0} - \frac{Q}{\tau_n}$$

$$Q \equiv \int_0^{W_p} (qA\Delta n) dx$$

$$\frac{\partial Q}{\partial t} = i_{diff} - \frac{Q}{\tau_n}$$

Few concepts for Device Analysis

	Equilibrium	DC	Small signal	Large Signal
Diode	Band-diagram	diffusion	$dn/dt \sim j\omega n$	Charge-control
Schottky	Band-diagram	TE	Junction capacitance	Majority transport
BJT/HBT	Band-diagram	diffusion /TE	$dn/dt \sim j\omega n$	Charge-control
MOSCAP MOSFET	2D band-diagram	Drift/TE	MOS capacitance	Charge-control

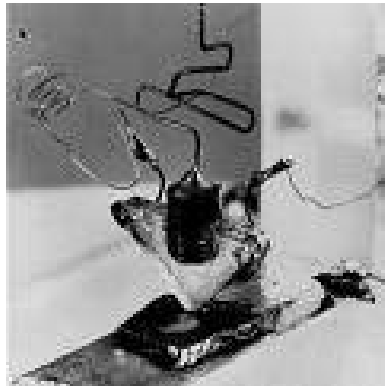
Grand Challenges in Electronics

Vacuum
Tubes



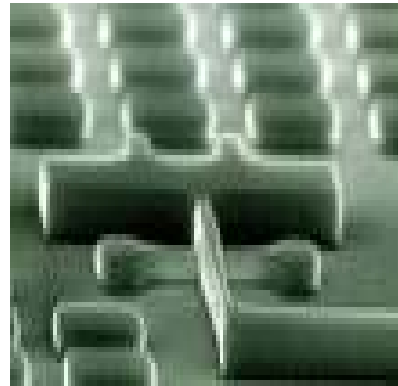
1906-1950s

Bipolar



1947-1980s

MOSFET



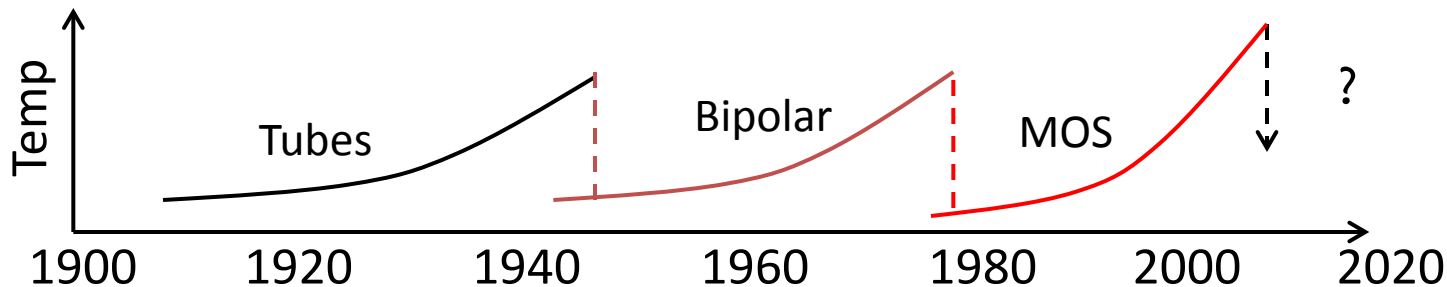
1960-until now

Now ??

Spintronics

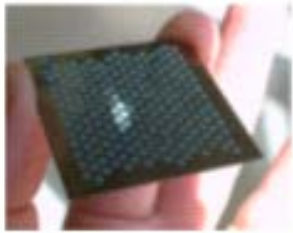
Bio Sensors

Displays



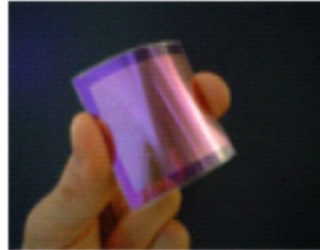
Emergence of Macroelectronics

Biosensors



Drug Discovery Substrates

Energy

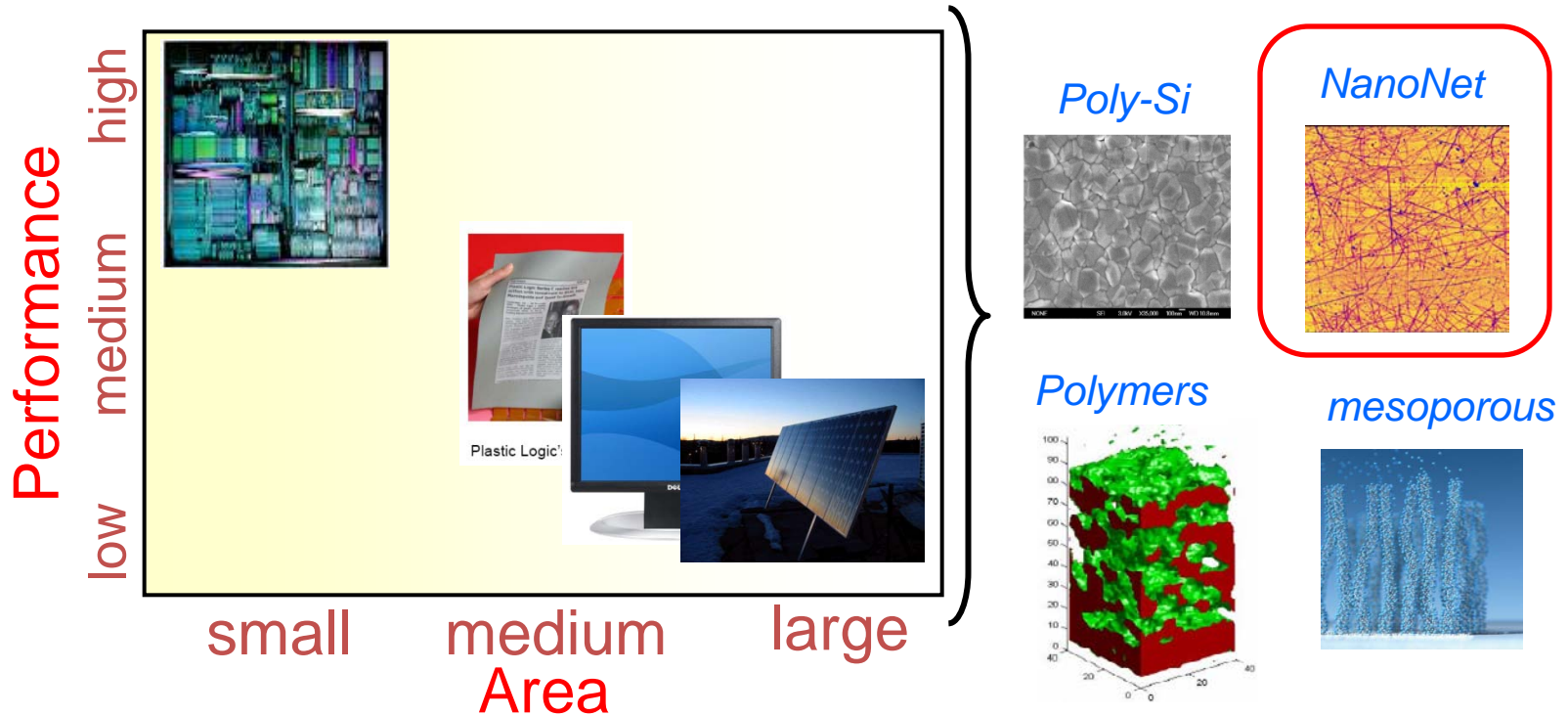


Conformal Solar Cells

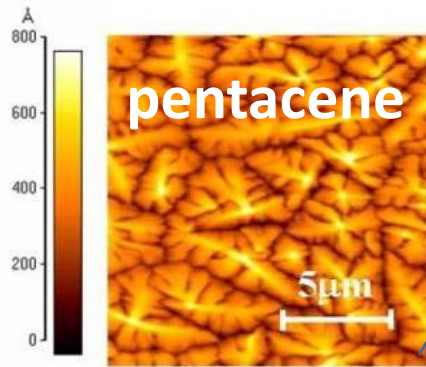
Flexible Electronics



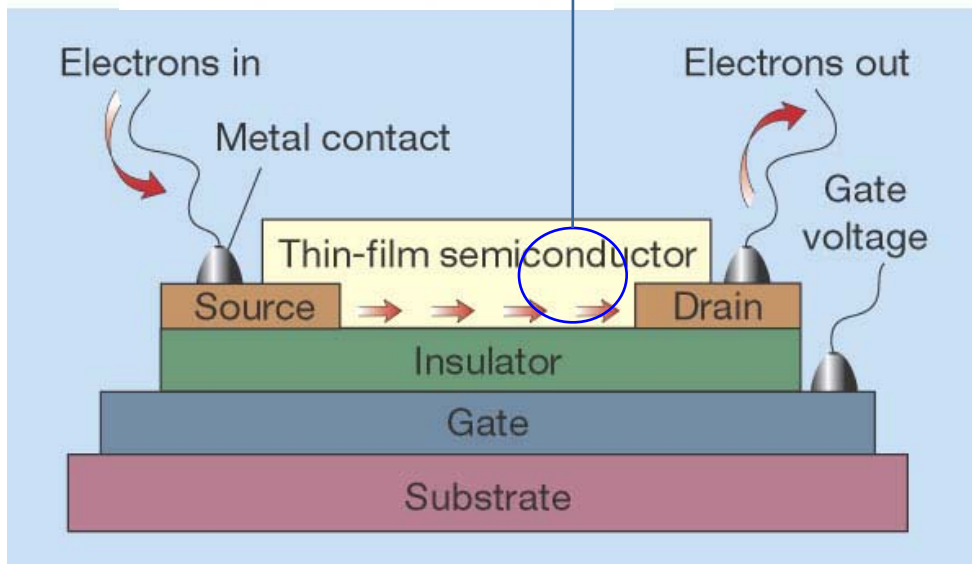
Flexible Electronics



Thin Film Organic Transistors



- ◆ Can you draw the band-diagram?
- ◆ What type of transport theory would you use?
- ◆ Would you be able to use numerical simulators from nanohub.org to explore the TFT?

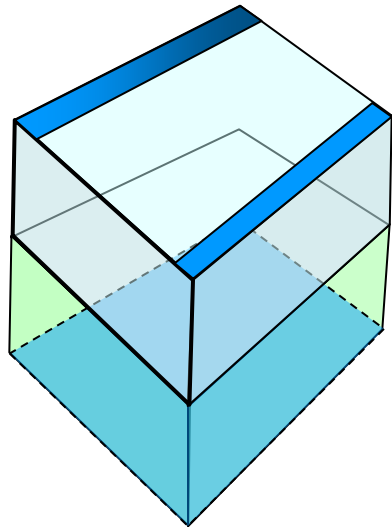
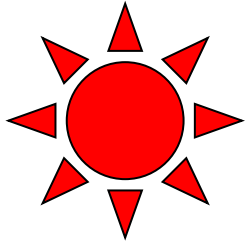


Sony display 180x120 pixels

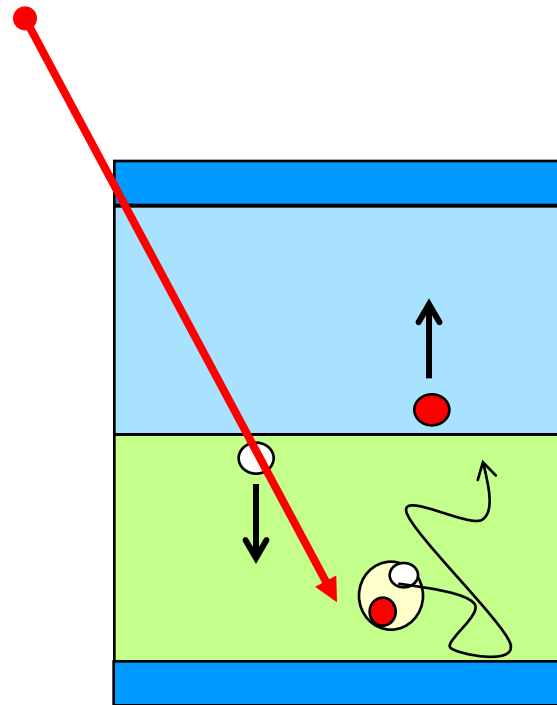
www.faculty.iu-bremen.de/dknipp/group/research.htm

M.G. Kanatzidis, Nature, 428, 2004.

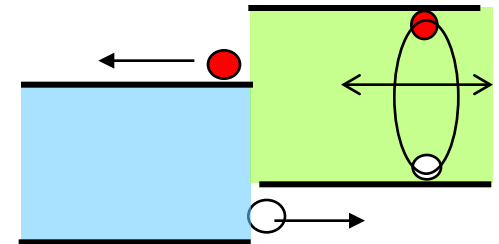
Four processes of a Solar Cell



Side view



Band-diagram



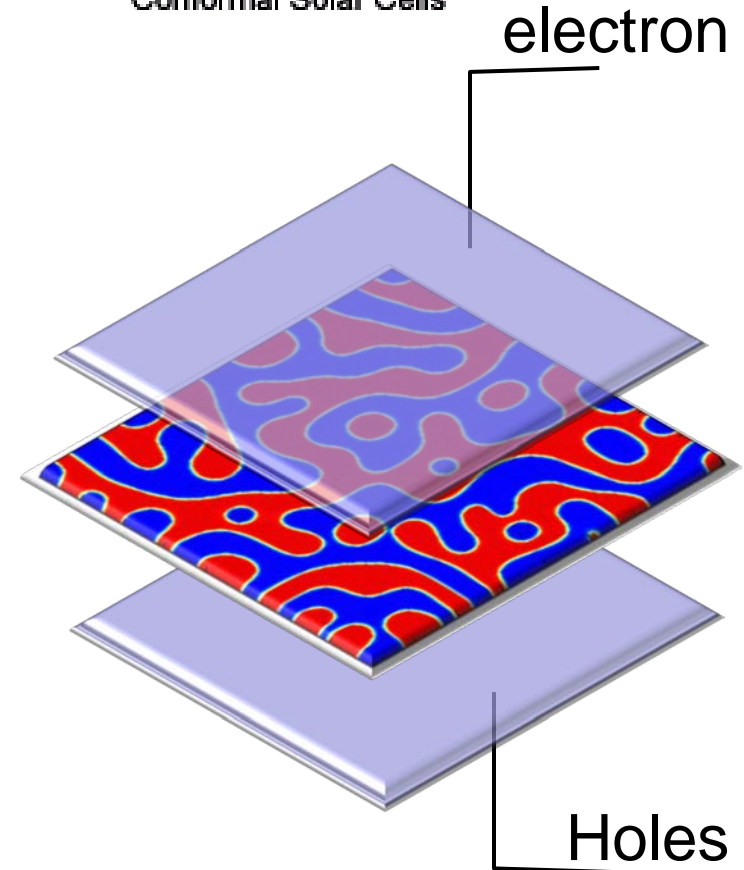
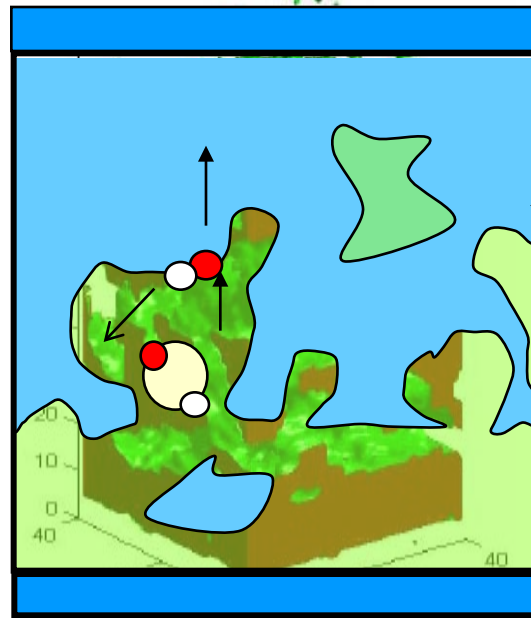
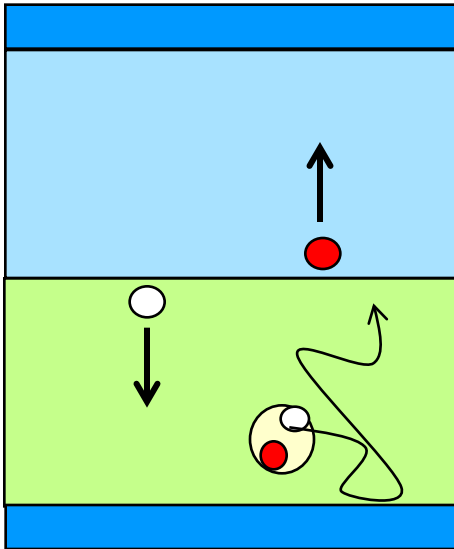
Electron-hole recombination before dissociation at the junction makes it a poor cell ...

Nanostructured Solar Cells



Conformal Solar Cells

mixed layers

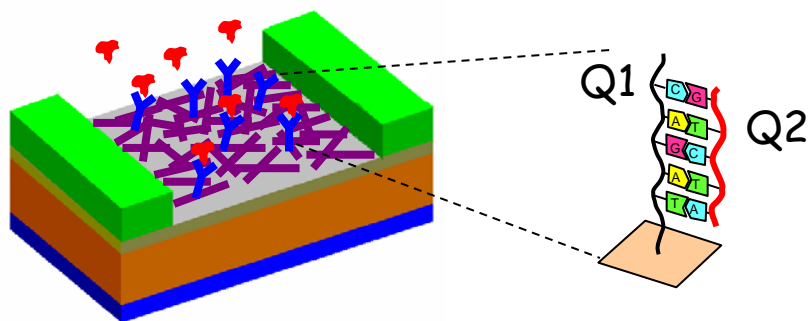
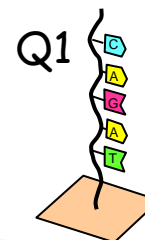
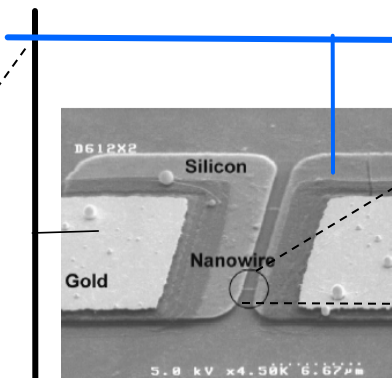
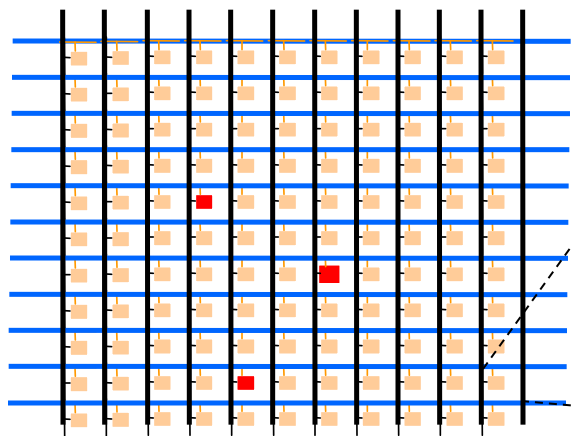


Fundamentals of nanobiosensing

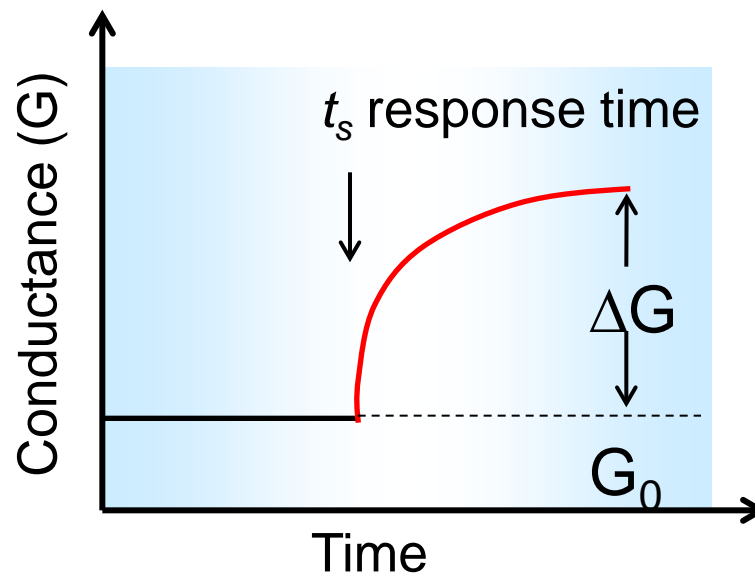
An array ...

Individual sensor

Capture Probe



Optical detection schemes
Surface Plasmon Resonance



Conclusions: Robots and Jellyfish



Resources

energy

function

reusability



Life at the edge of equilibrium thermodynamics is very successful ; Shouldn't our electronics be the same ?

Summary

- 1) Electronics remains a vibrant area and there have been many innovation beyond the classical electronic devices.
- 2) It is likely that electronics will find applications beyond computing and communication. Nothing new, actually! Electronics started with electrical machines, branched into communication, radar, then to computing; future applications in energy conversion, health care are anticipated.

Acknowledgement

- 1) Mohammad Asaduzzman for help with figures and HW.
- 2) Mr. Joe Cychoz and Rick DeSutter for helping us videotape these lectures.
- 3) Network of Computational Nanotechnology for resources and Intel for financial support.
- 4) Profs. M. Lundstrom and S. Datta for discussions.
- 5) Students from previous EE606 classes who endured the course without lecture notes.
- 6) And to you ... for showing up at 7:30am morning class!