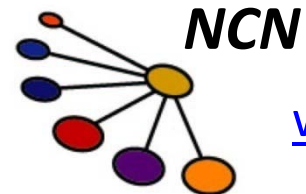


2009 NCN@Purdue-Intel Summer School
Notes on Percolation and Reliability Theory

Lecture 7

On Reliability and Randomness in Electronic Devices

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Purdue University
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NCN

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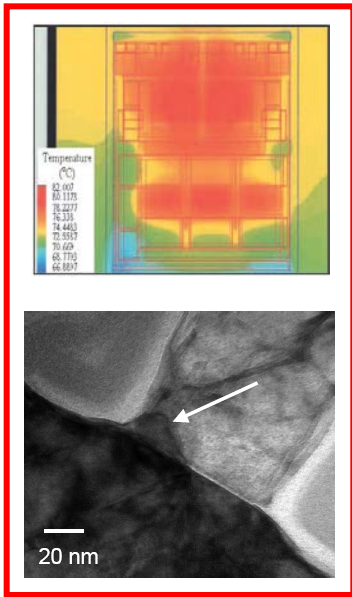
PURDUE
UNIVERSITY

Outline of Lecture 7

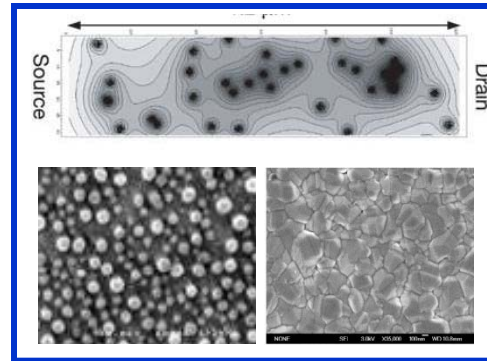
1. Background information
2. Principles of reliability physics
3. Classification of Electronic Reliability
4. Structure Defects in Electronic Materials
5. Conclusions

Process, Reliability, and Design

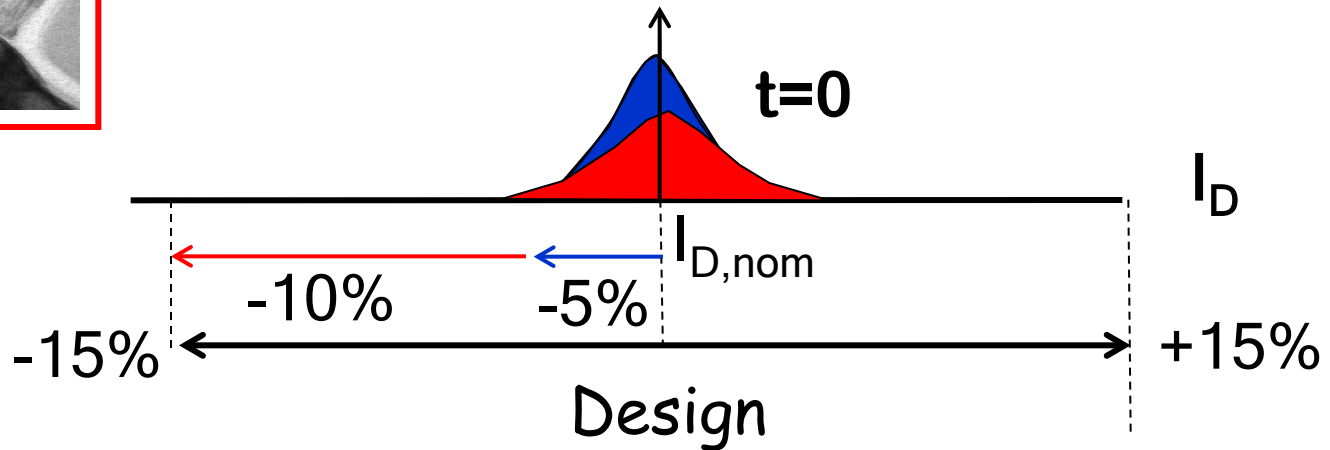
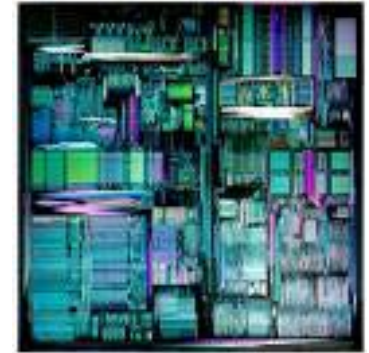
Reliability



Process



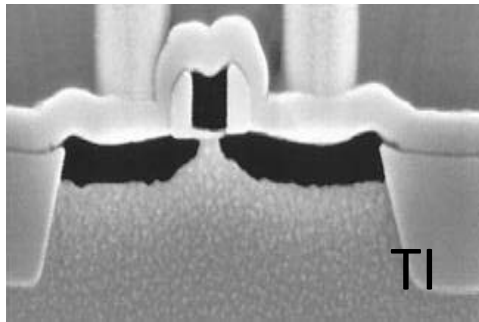
plus



We do not have too much margin

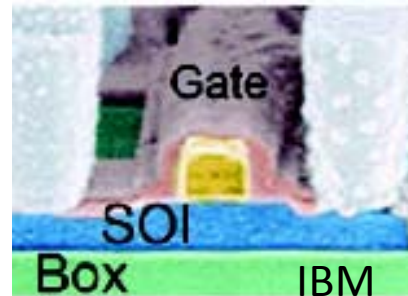
Complexity of the Reliability Problem

Mobility Improvement

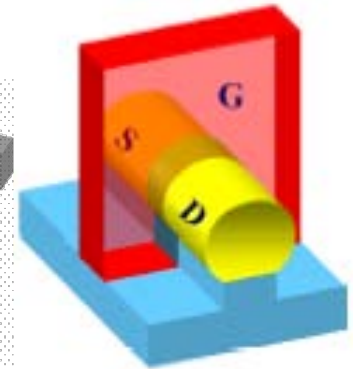
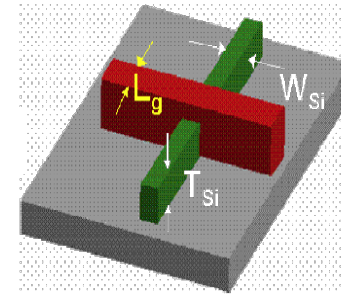


- ◆ Ge channel
- ◆ Strained silicon
 - ◆ uniaxial
 - ◆ bi-axial
- ◆ III-V materials

Improvement in Electrostatics



Berkeley
FINFET



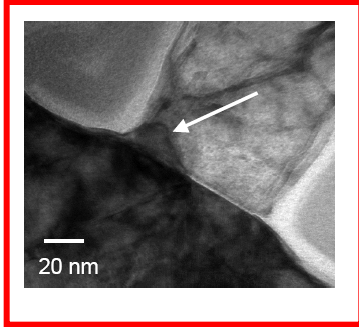
- ◆ Silicon on insulator (SOI)
- ◆ Double-gated devices
- ◆ Tri-gate or FINFET devices
- ◆ Surround gate devices (VRG, Si-NW)

Outline of Lecture 7

1. Background information
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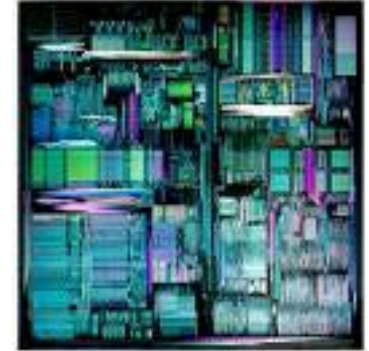
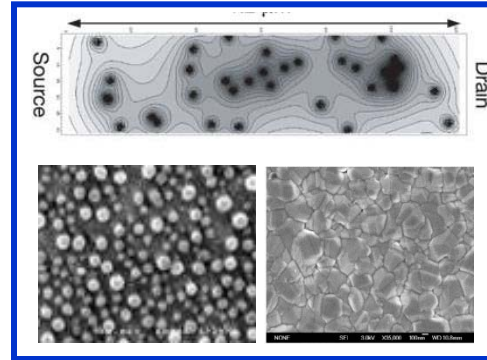
Equivalence between Spatial/Temporal Fluctuation

Reliability

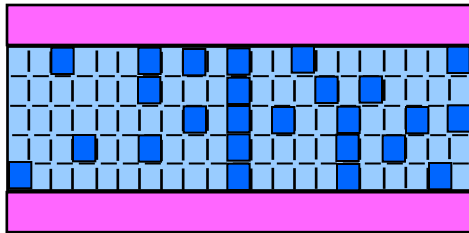


plus

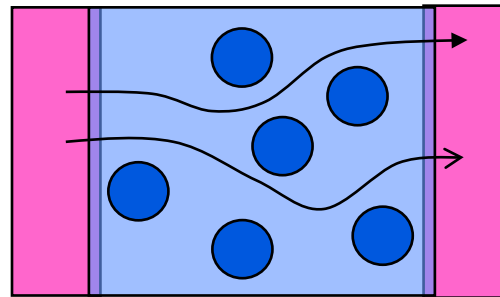
Process



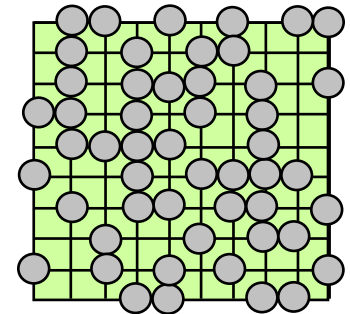
Side view (TDDB)



top view (RDF)

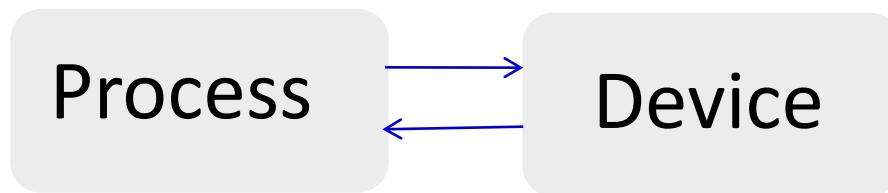
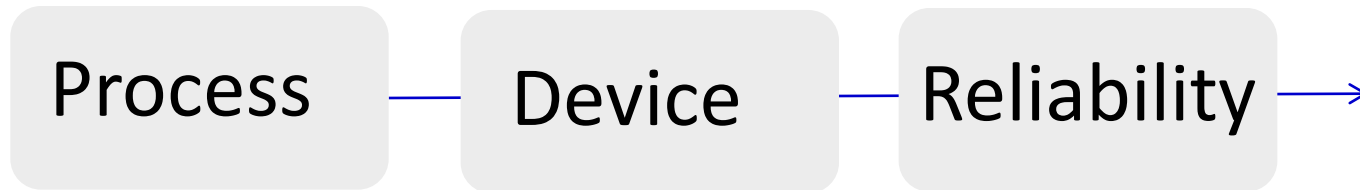


model

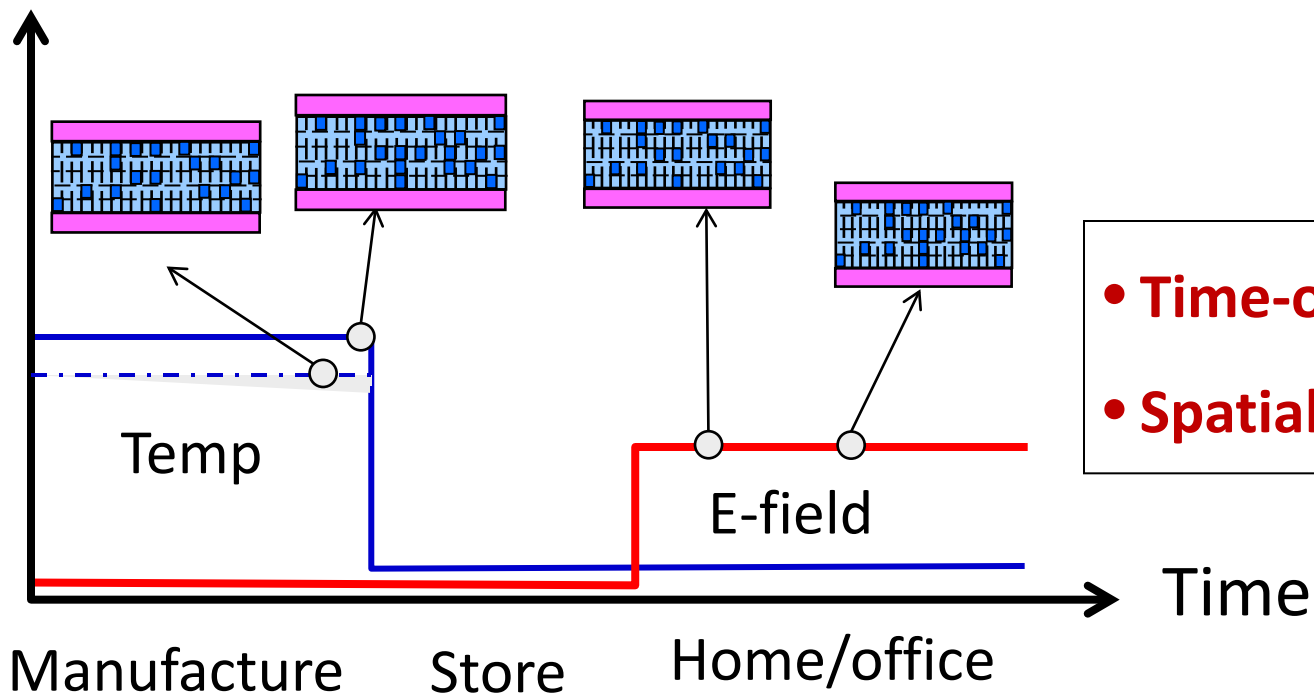


Spatial and temporal fluctuation should be considered with same framework ...

Equivalence of Spatial/Temporal Fluctuations

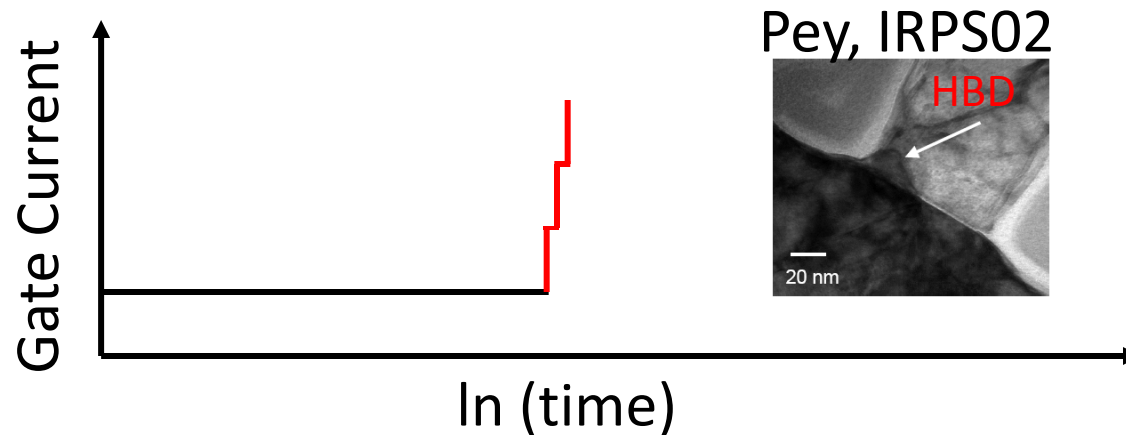
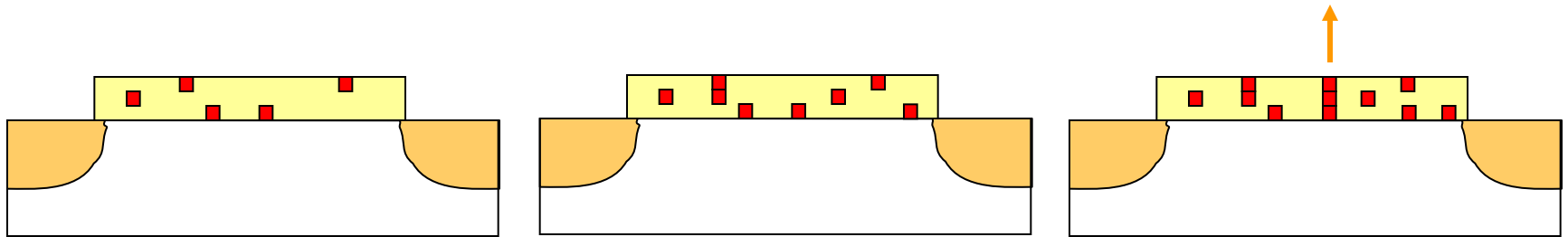


Same theoretical tools



- Time-ordered ($N \sim t$)
- Spatial Correlation

Reliability: Stochastic Process Terminated by a Threshold

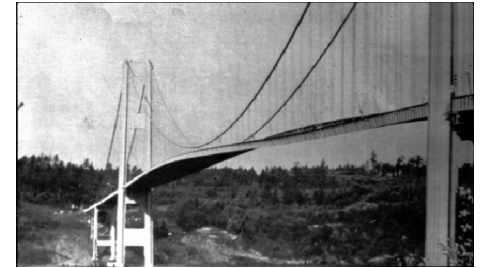


Reliability: Physics of how Things Break

A child drops a glass



Bridges (Tacoma Narrows)



Shuttle (Challenger)



Lighting in a rain-soaked night



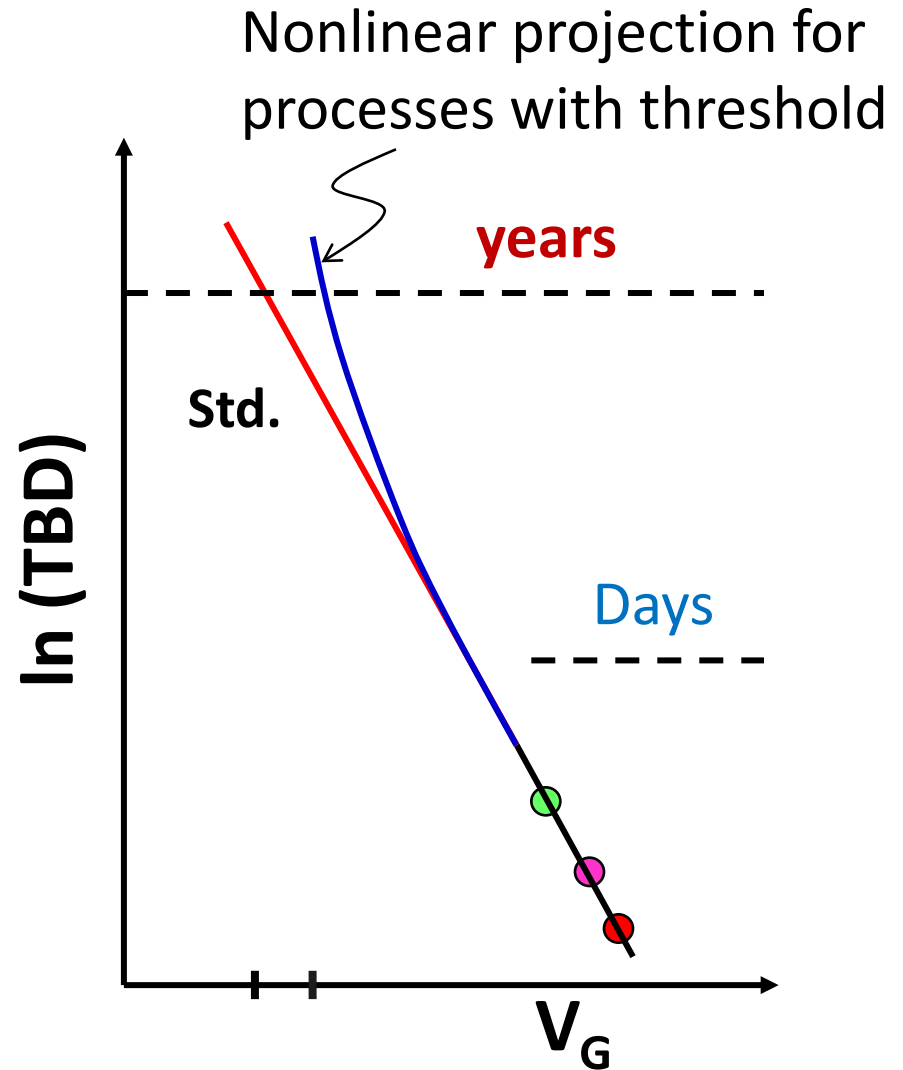
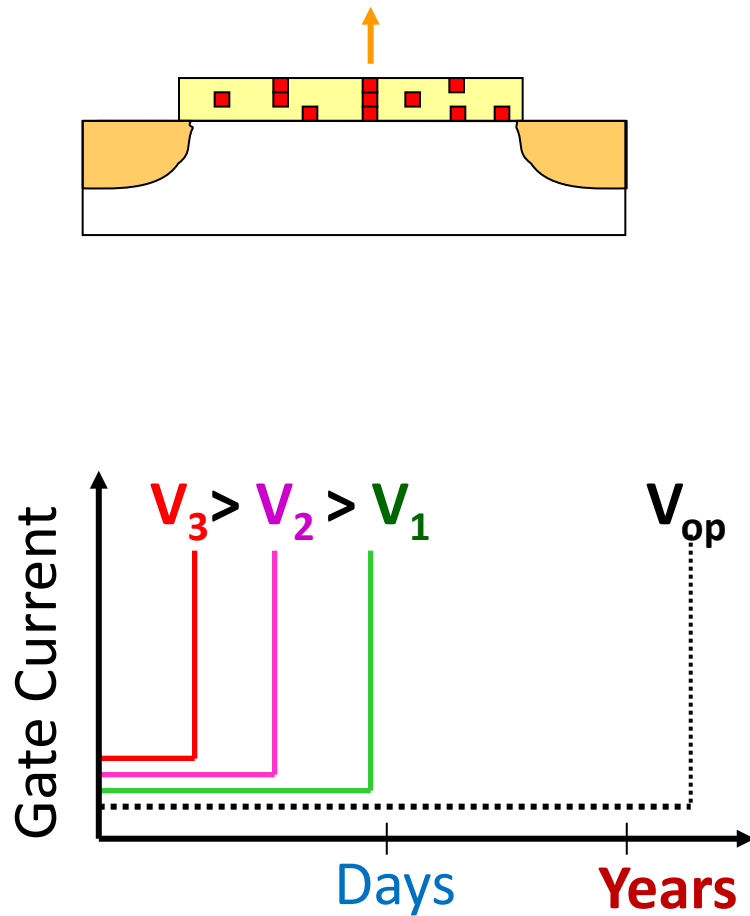
Volcano, landslides & forest fire

Check-out queues, scheduling



A stochastic process terminated by threshold

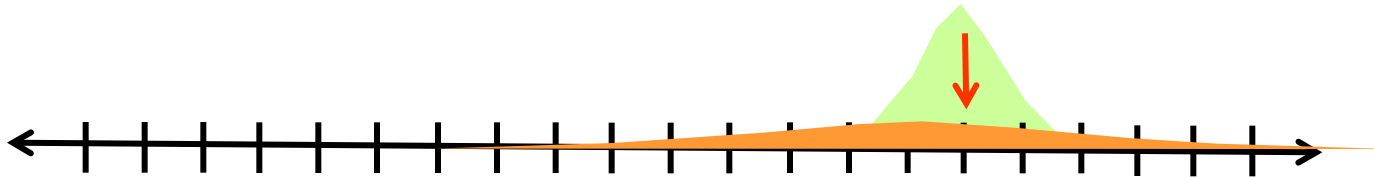
Theory of Accelerated Testing



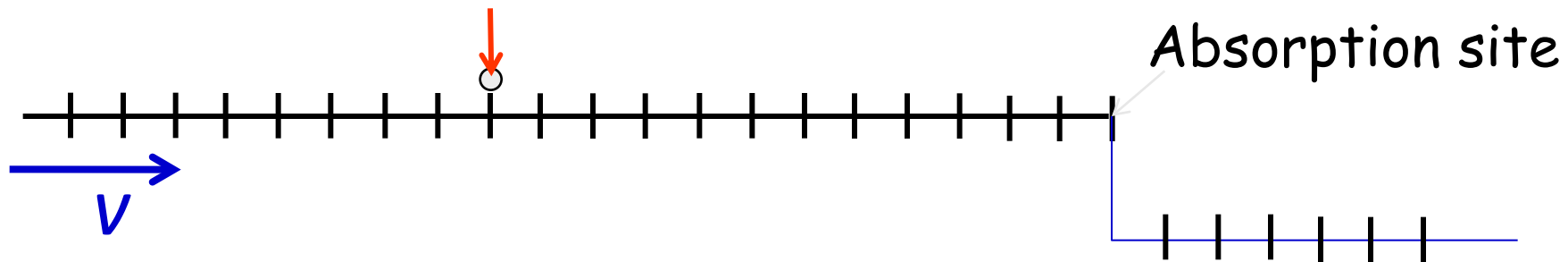
Empirical projection is very difficult, if not impossible ...

Nonlinear Projection: an Illustrative Example

Stochastic Process

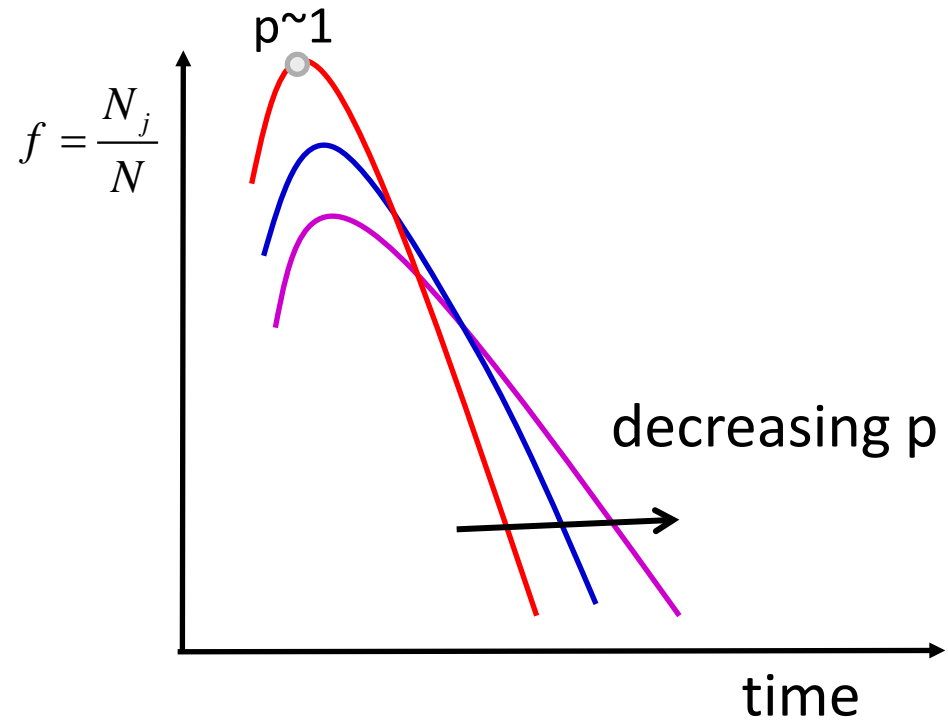
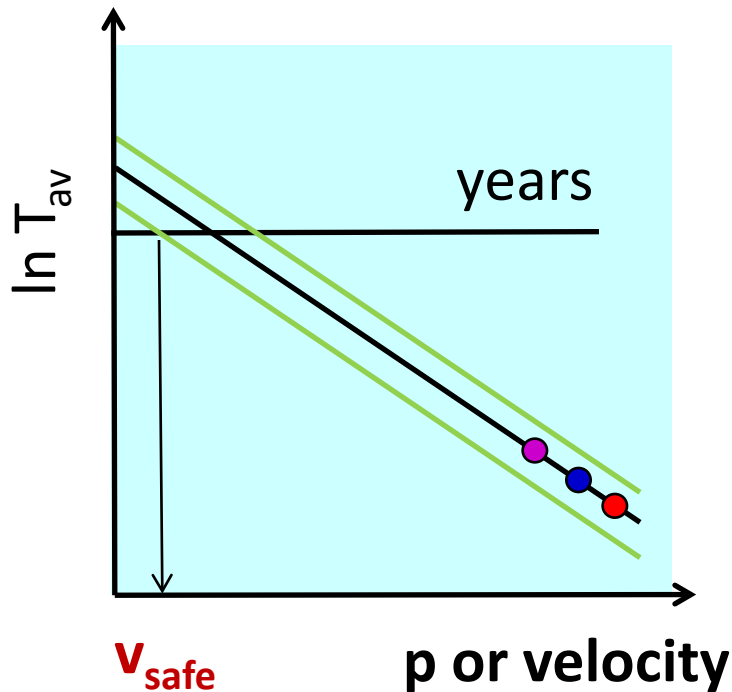
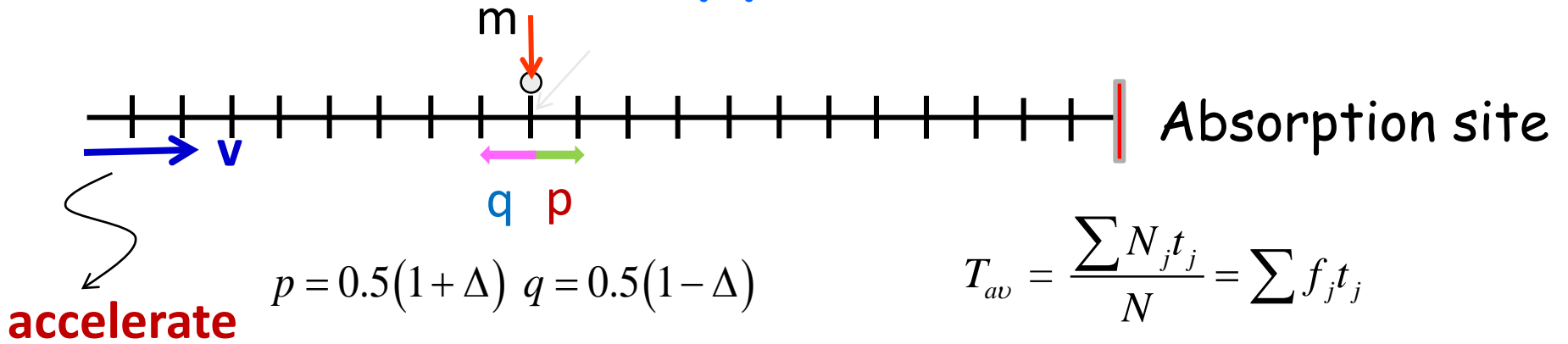


Stochastic Process with a threshold

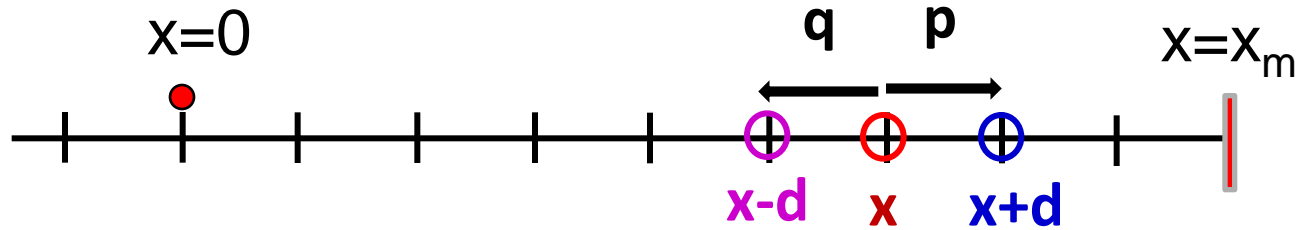


How far away from the trap-site do I need to inject the particles so that after TBD sec of diffusion no more than y percent of particles is lost?

Accelerated Testing: Empirical Approach



Average Arrival Time Distribution



$$T(x) = \tau + [q \times T(x - \delta)] + [p \times T(x + \delta)]$$

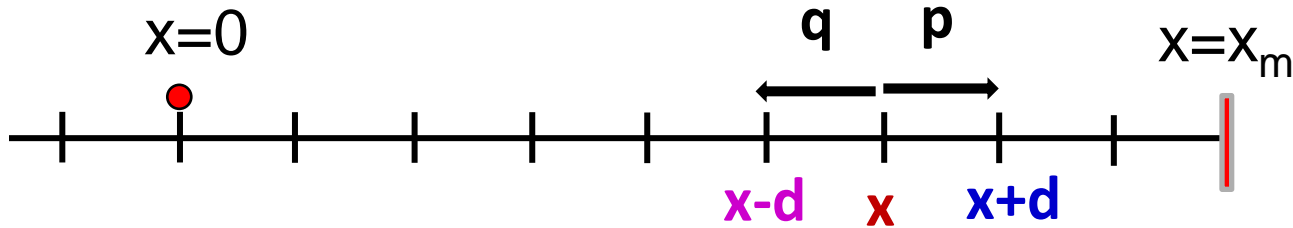
Time to absorption after being injected at x

$$\frac{T(x) - \frac{1}{2}(T(x + \delta) + T(x - \delta))}{\delta^2} - \frac{\Delta (T(x + \delta) - T(x - \delta))}{2 \delta^2} - \frac{\tau}{\delta^2} = 0$$

$$\frac{d^2 T}{dx^2} + \frac{2}{v} \frac{dT}{dx} + \frac{2}{D} = 0$$

$$v \equiv \frac{\delta}{2\Delta} \quad D \equiv \frac{\delta^2}{\tau}$$

Average Arrival Time Distribution



$$\frac{d^2T}{dx^2} + \frac{2}{v} \frac{dT}{dx} + \frac{2}{D} = 0$$

$$T(x = x_m) = 0, \quad C_1 = C_2 x_m$$

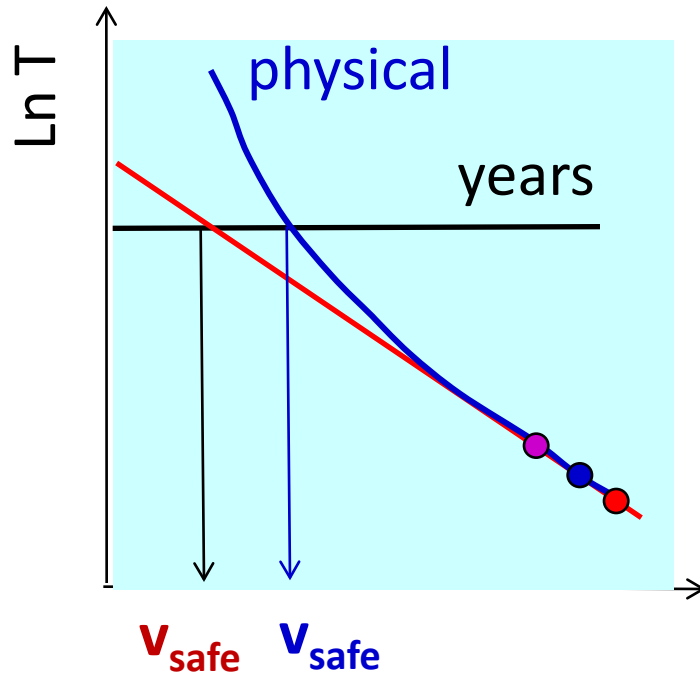
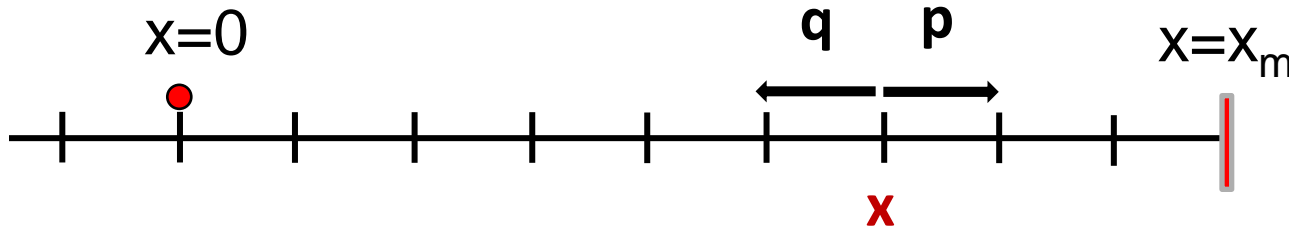
$$T(x) = C_1 - C_2 x$$

$$-\frac{2\Delta}{\delta} C_2 + \frac{2\tau}{\delta^2} = 0 \quad \therefore C_2 = \frac{\tau}{\delta\Delta}$$

$$T(x) = \frac{\tau}{\delta\Delta} (x_m - x) = \frac{\tau}{\delta} \frac{(x_m - x)}{2\left(p - \frac{1}{2}\right)}$$

Average lifetime diverges at small velocity, v or $p \rightarrow 0$

Physical vs. Empirical Projection



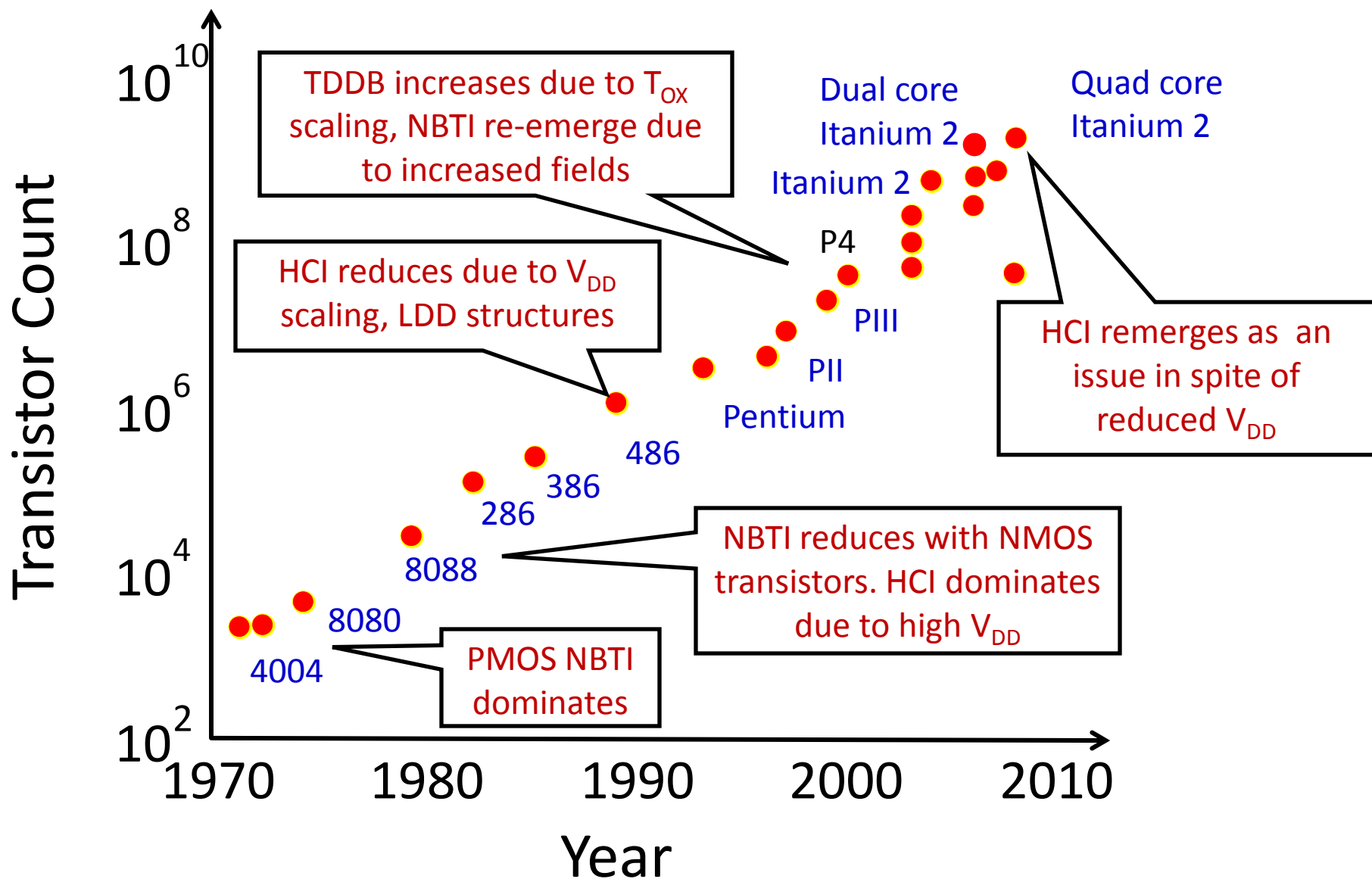
$$T(x) = \frac{\tau}{2\delta} \left[\frac{x_m - x}{p(\nu) - 0.5} \right]$$

- Empirical meas. & comp. simulation would not do
- Prediction is possible because $t=0^-$ is smooth

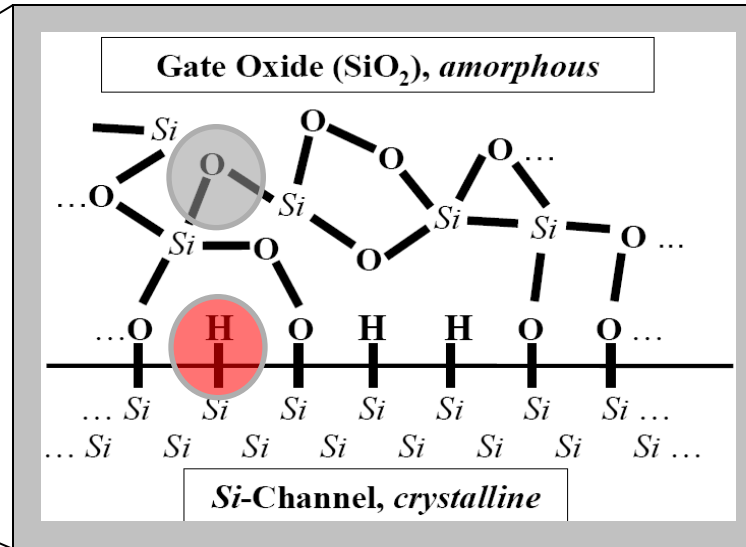
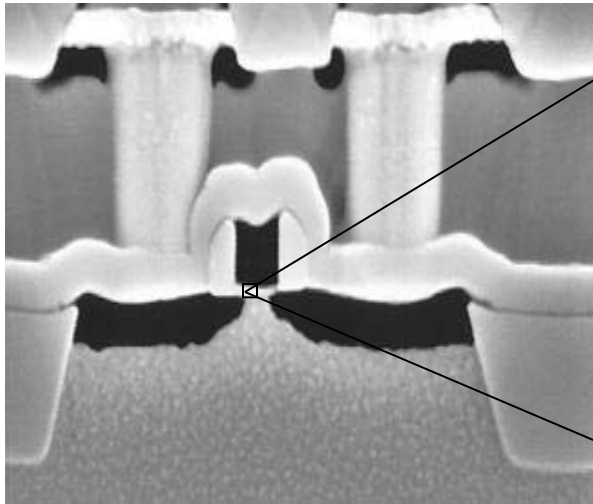
Outline of Lecture 7

1. Background information
2. Principles of reliability physics
- 3. Classification of Electronic Reliability**
4. Structure Defects in Electronic Materials
5. Conclusions

Scaling and Reliability: A Short History



SiO and SiH Bonds



Broken Si-H bonds

Negative Bias Temperature Instability (NBTI)
Hot carrier degradation (HCI)

Broken Si-O bonds

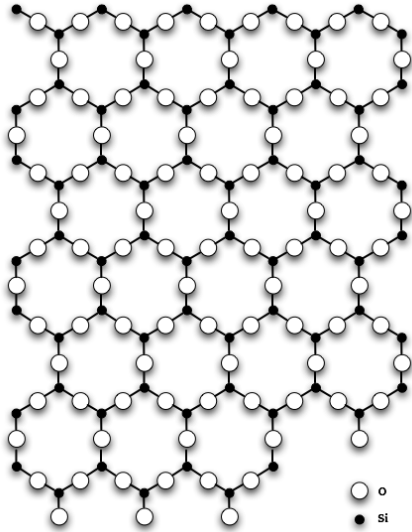
Gate dielectric Breakdown (TDDB)
Electrostatic Discharge (ESD)
Radiation induced Gate Rupture (RBD)

Outline of Lecture 7

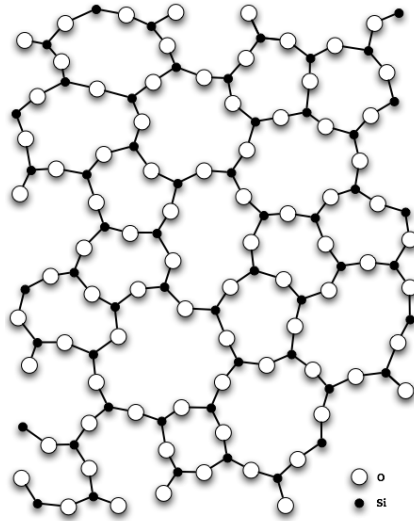
1. Background information
2. Principles of reliability physics
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- 4. Structure Defects in Electronic Materials**
5. Conclusions

Crystalline, Amorphous, and Random Materials

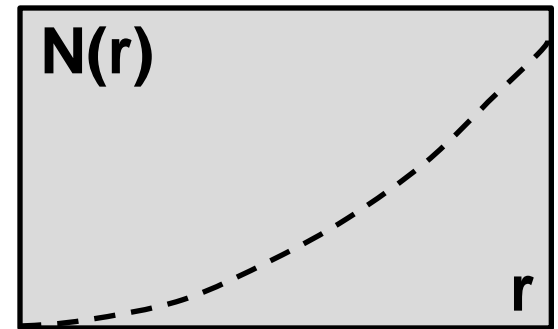
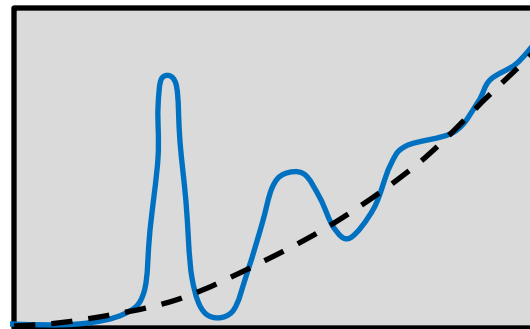
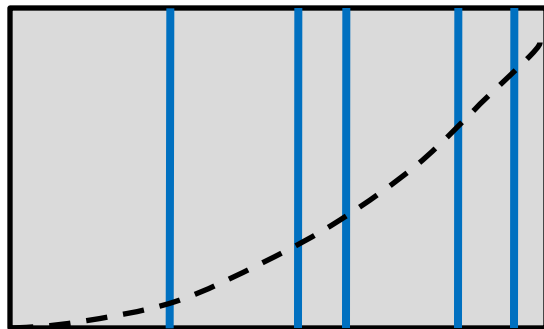
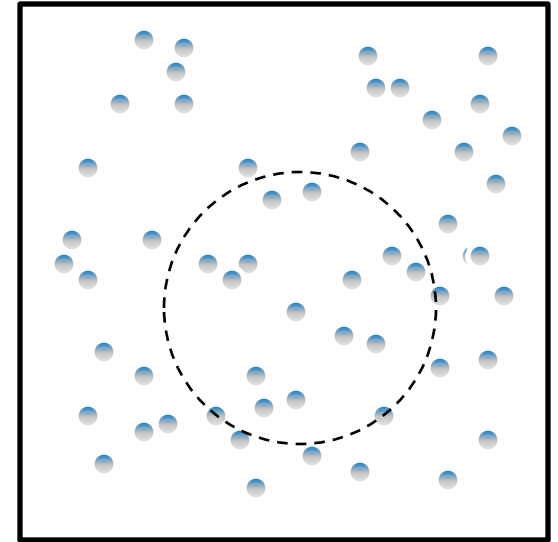
Crystalline



Amorphous

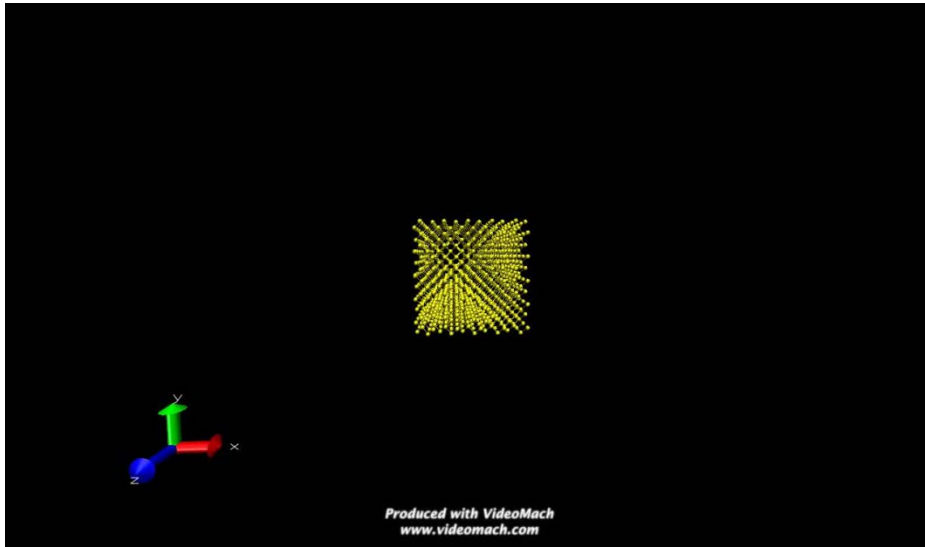


Random

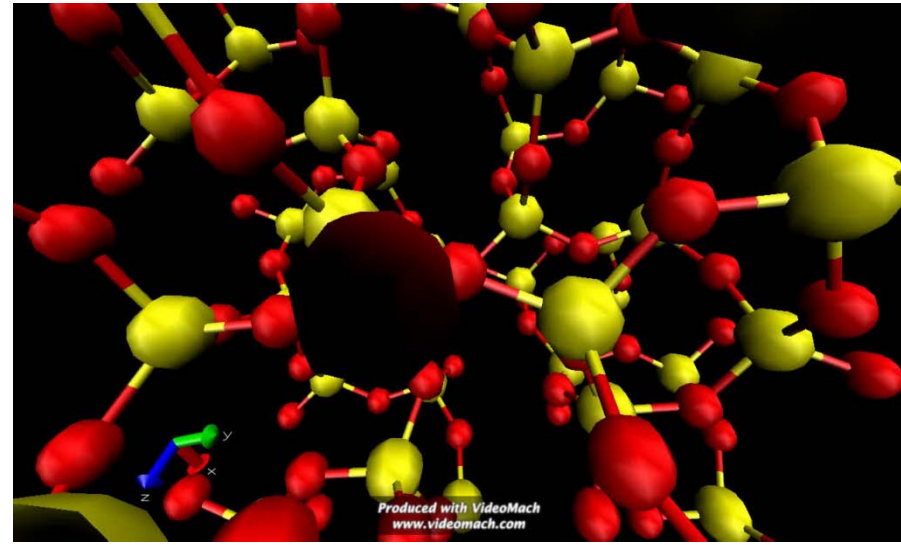


Crystalline Si and SiO₂

crystalline Si

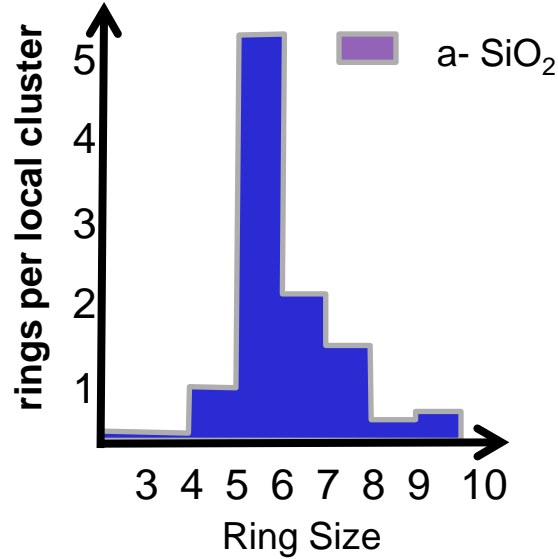
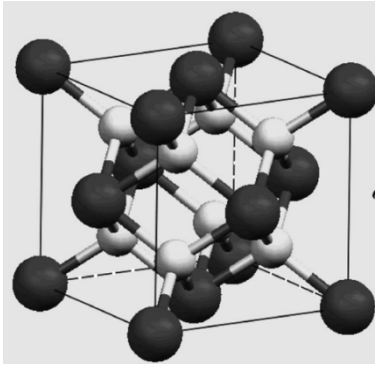


amorphous SiO₂

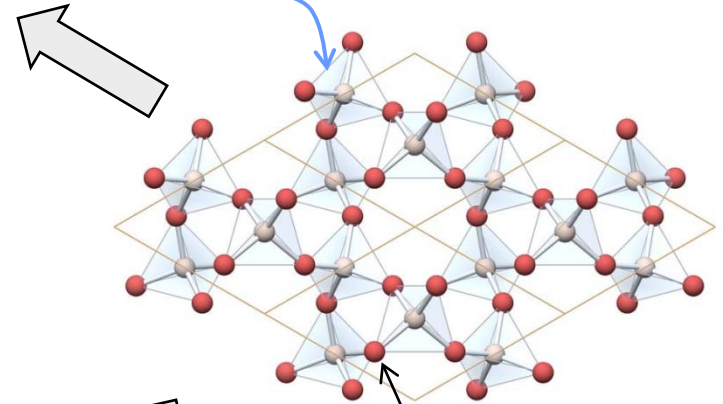


For a dynamic view of SiO₂ see,
<http://cst-www.nrl.navy.mil/lattice/struk.jmol/coesite.html>

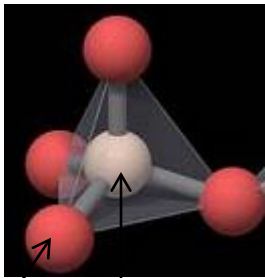
Crystalline vs. Amorphous SiO₂



Fixed bond lengths

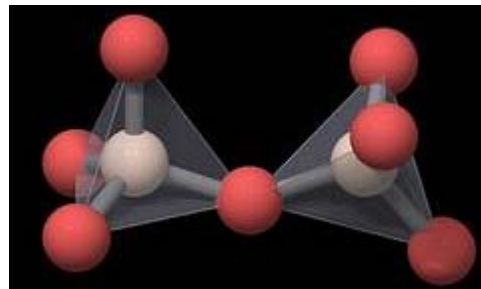
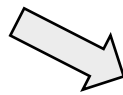


Soft Si-O-Si bond angles



Si

oxygen

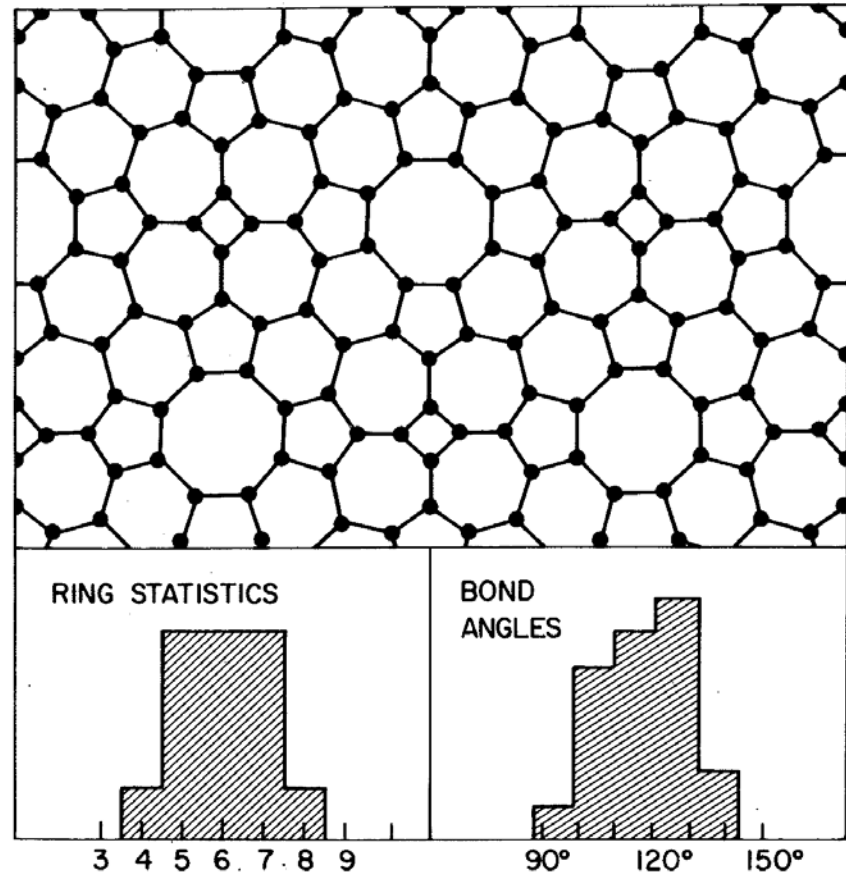
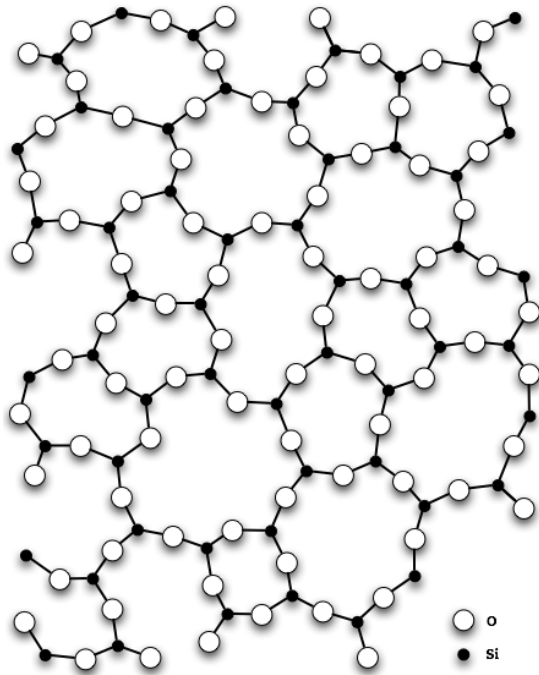


$$z_{Si} = 8 - N_{Si} = 4$$

$$z_{O} = 8 - N_{O} = 2$$

Amorphous is neither completely random, nor it is defective

Amorphous



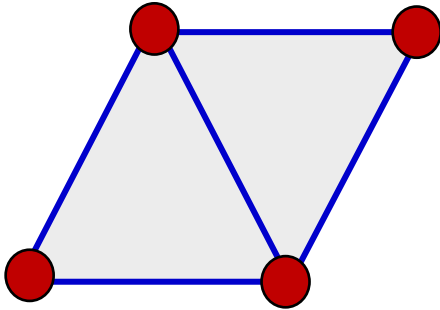
small scatter in ring distribution ...

Geometry defines ring statistics

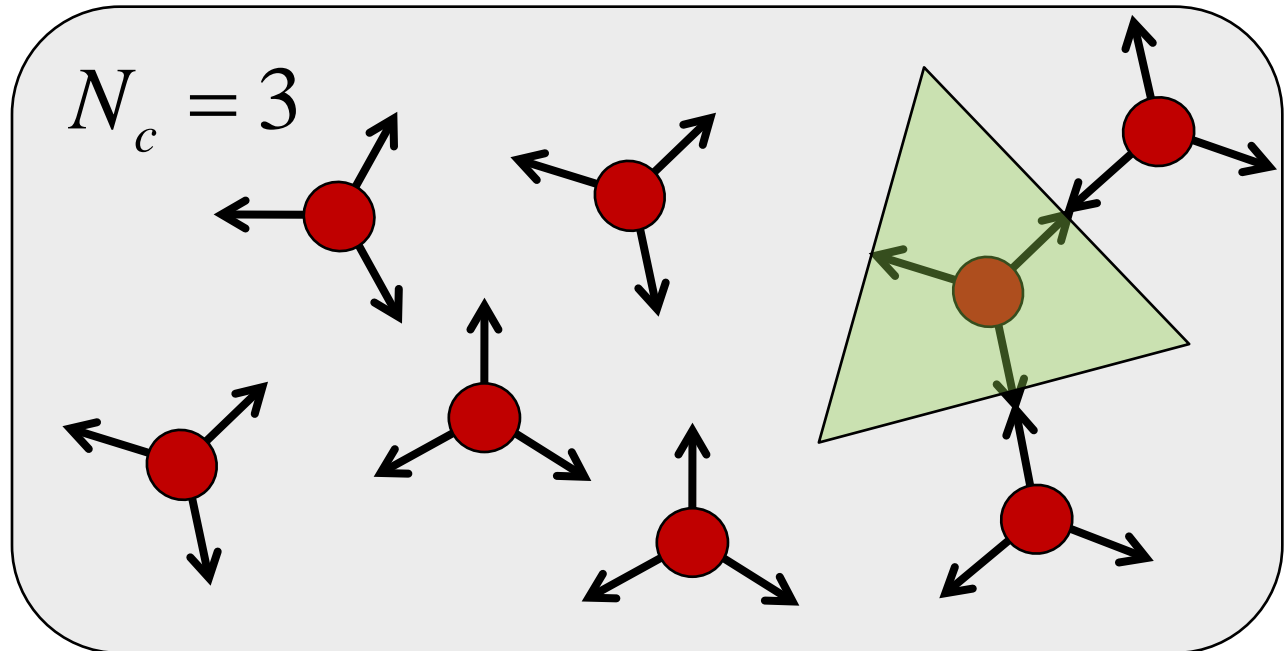
Euler Relationship in 2D

$$V - E + N = 1$$

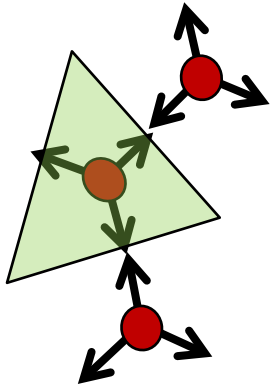
↓ ↓ ↓
vertices edges cell number



$$\left. \begin{array}{l} V = 4 \\ E = 5 \\ N = 2 \end{array} \right\} \Rightarrow 1$$



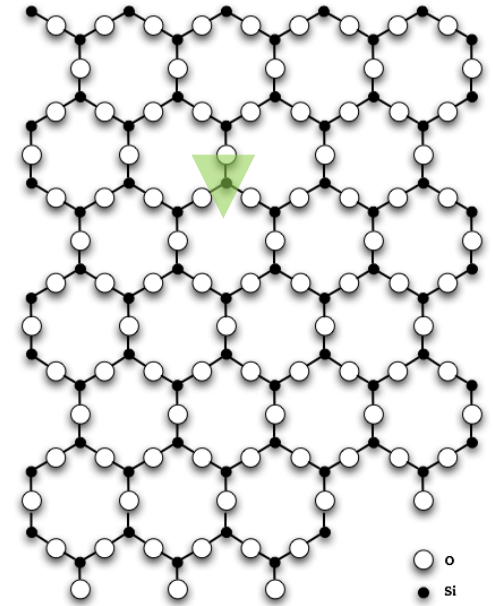
Geometry defines ring statistics



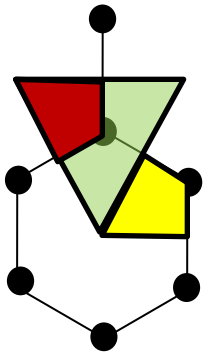
$$\left. \begin{array}{l} V = 1 \\ E = \frac{3}{2} \end{array} \right\} 2E = 3V = N_p N$$

3 bonds/atoms to
honeycomb lattice

$$V - E + N = 1$$



HW: 6 bonds/atoms
triangular lattice



$$\frac{N_p N}{3} - \frac{N_p N}{2} + N \sim 0$$

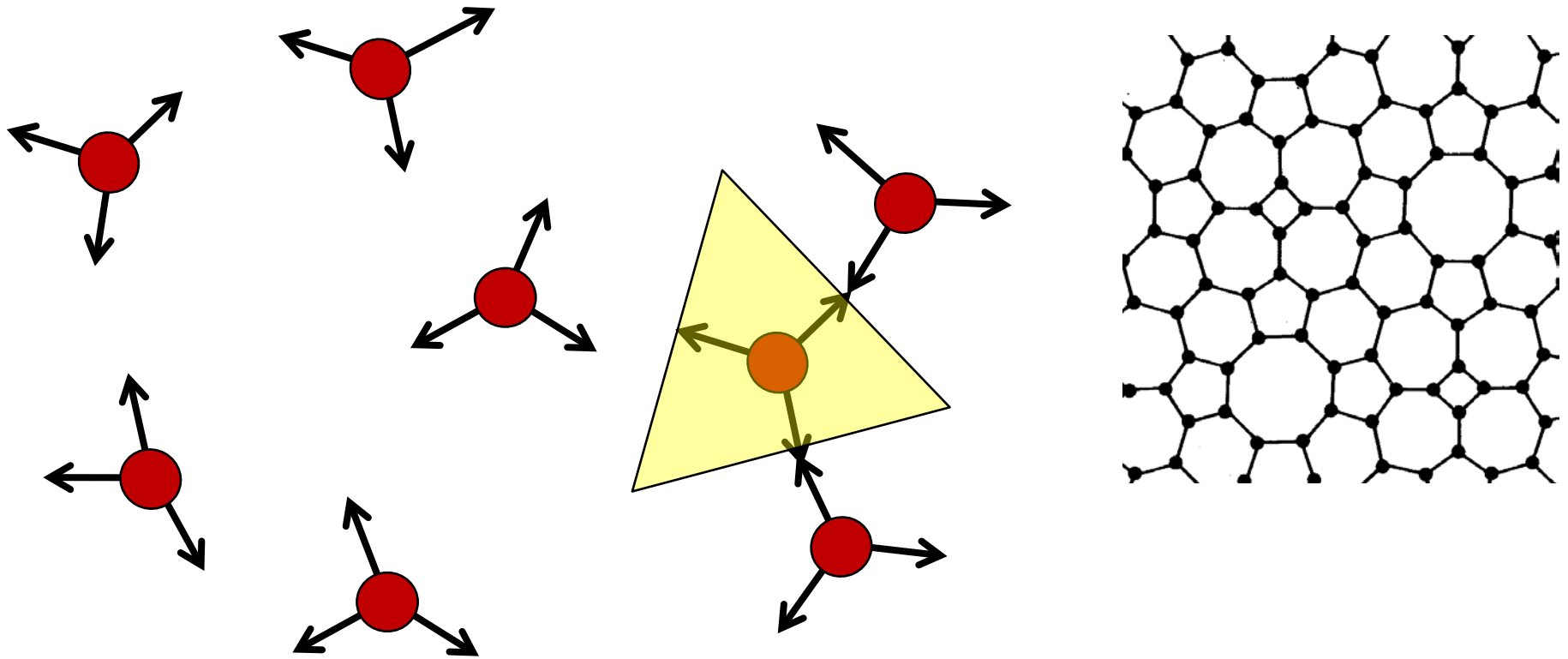
$$N_p \cong 6 \leftarrow \text{edges/cell}$$

$$6N = 3V \Rightarrow N = \frac{1}{2}$$

1/2 of a cell; therefore each cell must have **6-sides!**

Rings with Hard vs. Soft Bonds

$$N_c = 3$$



Ring Statistics in Random Structure

Euler Relationship

$$V - E + N = 1$$

$$2E = 3V = \langle N_p \rangle N$$

$$\langle N_p \rangle = 6 = \sum_k k \times P_k$$

Prob. of
k-sided ring

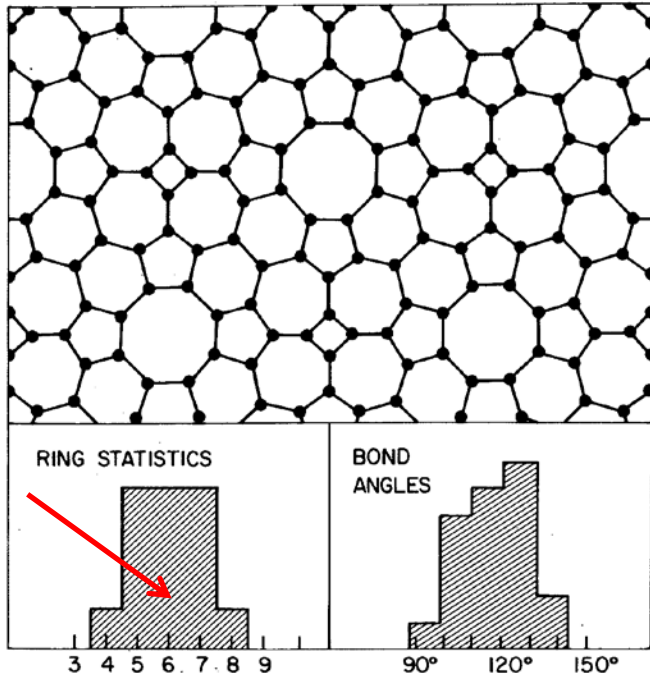
$$6 = 9P_9 + 8P_8 + 7P_7 + 6P_6 + 5P_5 + 4P_4 + 3P_3$$

$$\text{Ex. } P_9 = P_8 = P_4 = P_3 \equiv P$$

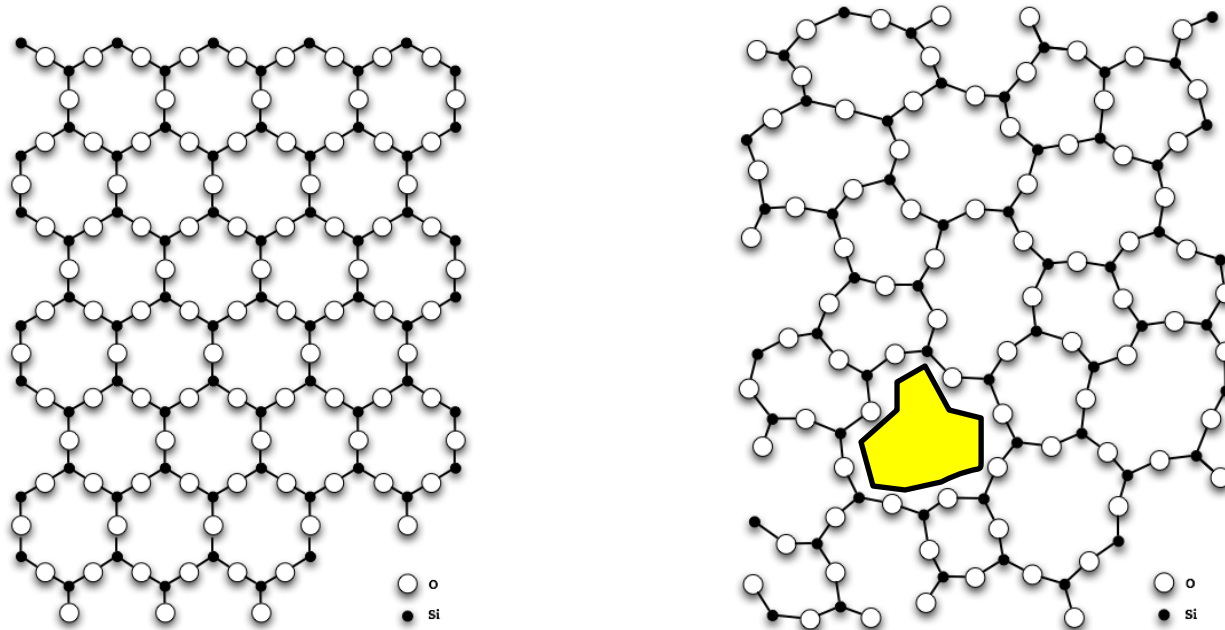
$$P_7 = P_6 = P_5 \equiv 3P$$

$$78P \approx 6 \Rightarrow P \sim 1/12$$

Large rings pay steric penalty
and are therefore rare ...

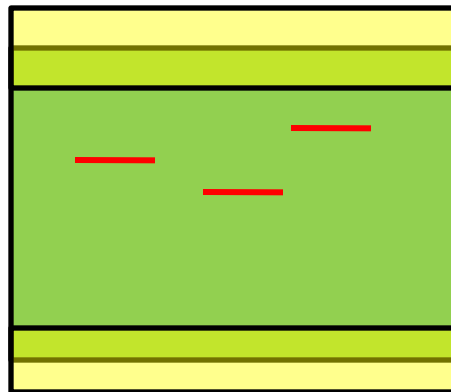
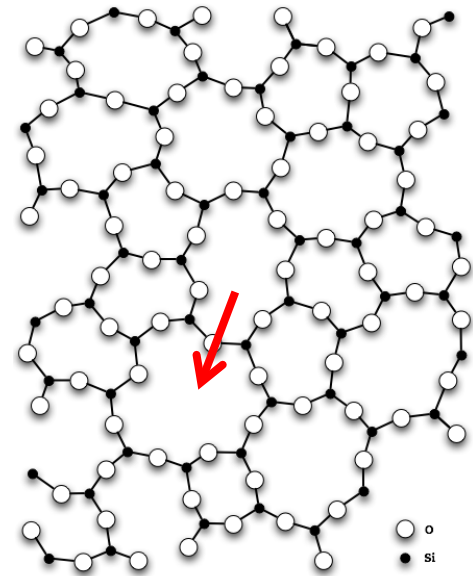
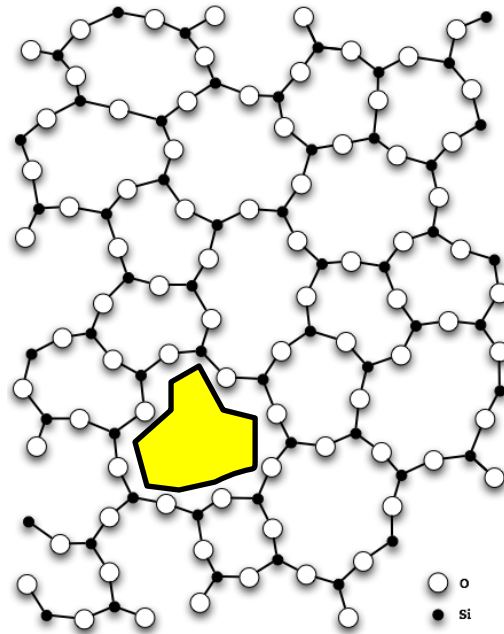
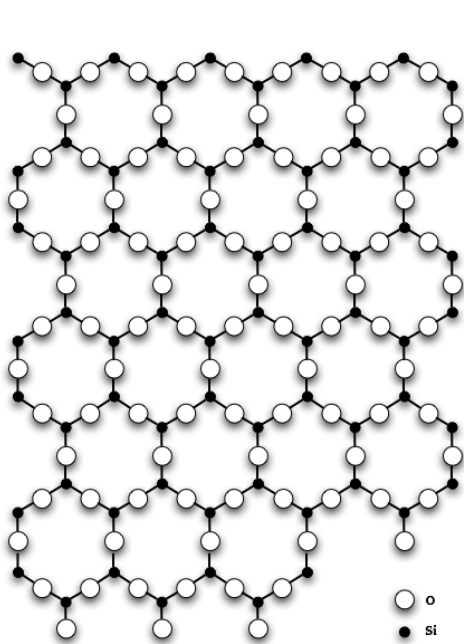


Amorphous Material and Bandtail states



Resolves the puzzle why glass is transparent

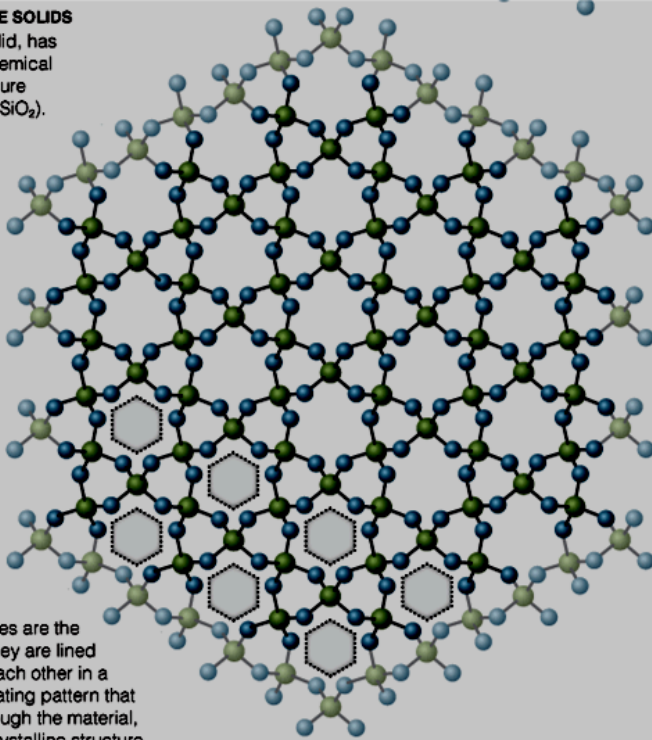
Meaning of an oxide/nitride defect



Crystalline vs. Amorphous Oxides

CRYSTALLINE SOLIDS

Quartz, a solid, has the same chemical formula as pure silica glass (SiO_2).



STRUCTURE

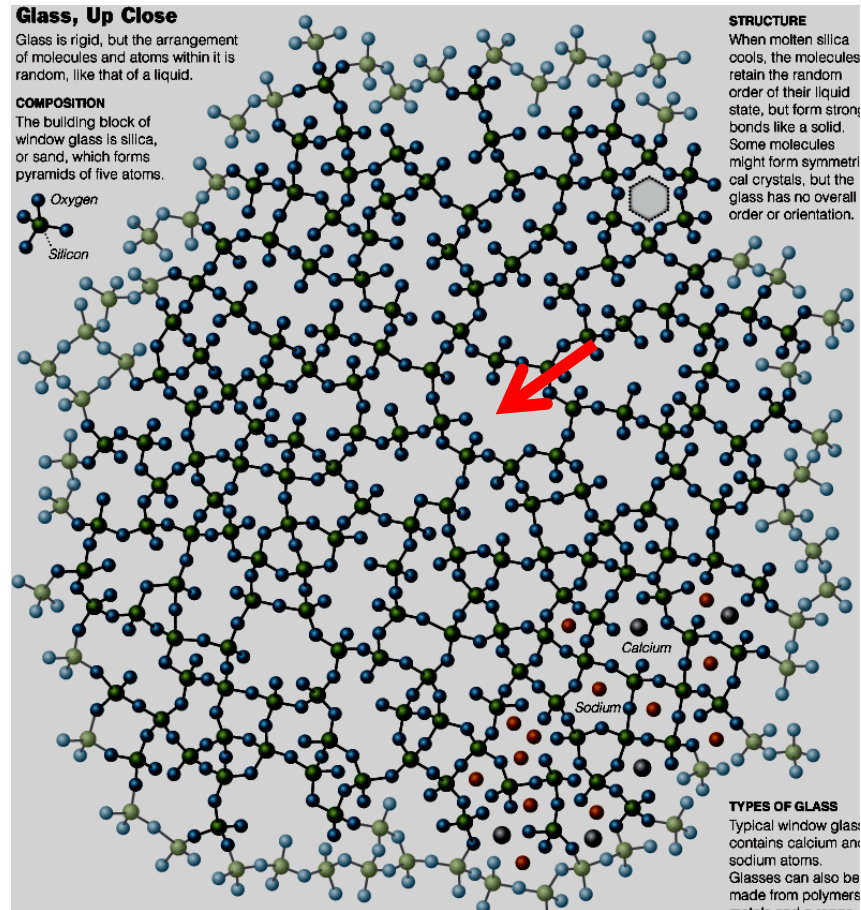
The molecules are the same, but they are lined up next to each other in a simple repeating pattern that extends through the material, giving it a crystalline structure.

Glass, Up Close

Glass is rigid, but the arrangement of molecules and atoms within it is random, like that of a liquid.

COMPOSITION

The building block of window glass is silica, or sand, which forms pyramids of five atoms.



STRUCTURE

When molten silica cools, the molecules retain the random order of their liquid state, but form strong bonds like a solid. Some molecules might form symmetrical crystals, but the glass has no overall order or orientation.

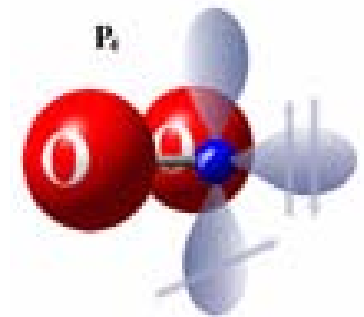
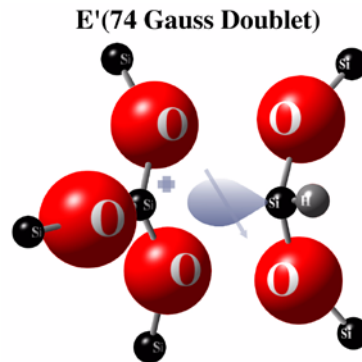
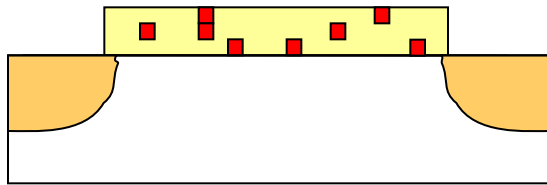
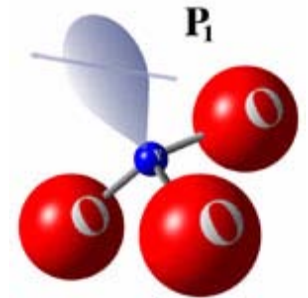
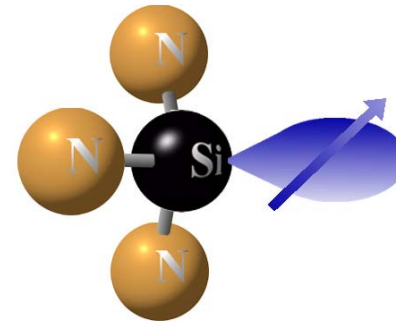
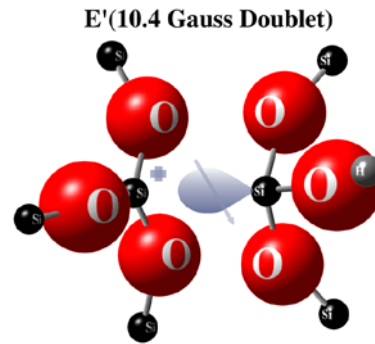
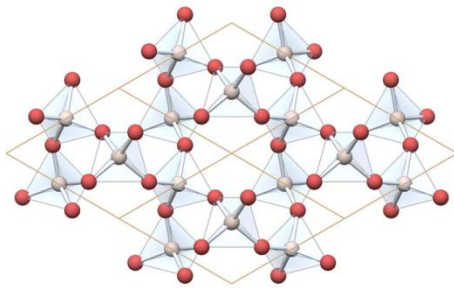
TYPES OF GLASS

Typical window glass contains calcium and sodium atoms. Glasses can also be made from polymers, metals, and ceramics.

‘Glass up Close’,
NY Times, July 29, 2008.

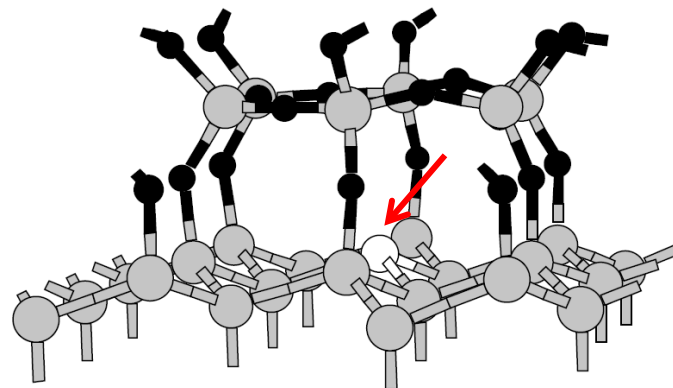
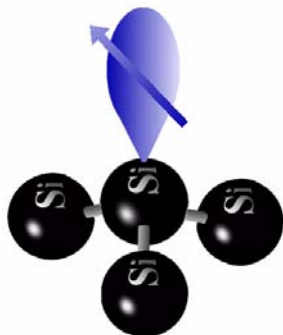
Bulk defects of missing oxygen: E', K, and P defects

Courtesy:
Prof. Lenahan



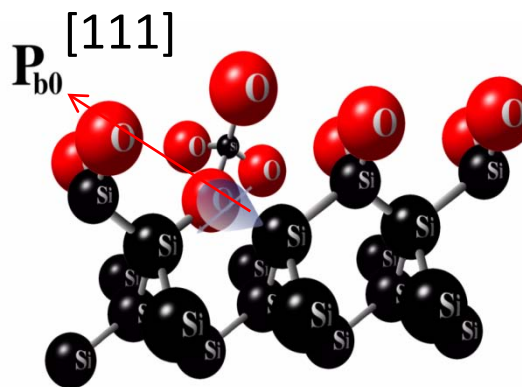
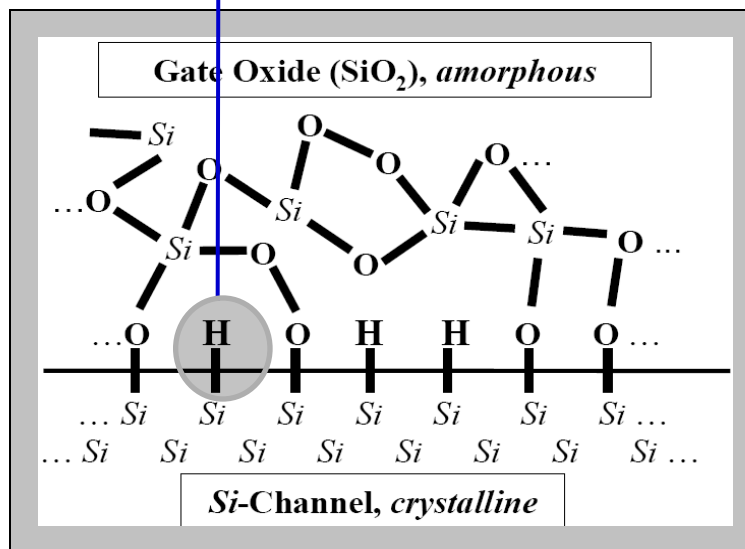
Responsible for gate dielectric breakdown
Will discuss in lectures 8 and 9

Pb centers – Interface Traps

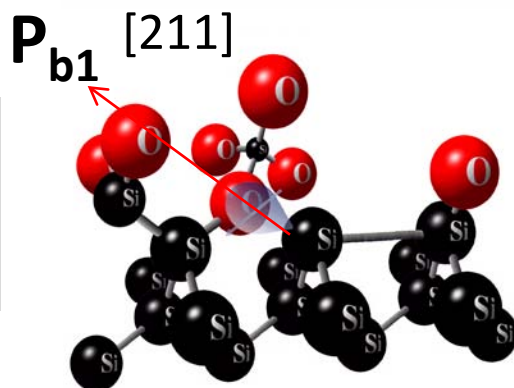


[111] surface
 P_b along [111]

Stirling, PRL, 2000.



[100] surface
 Pb_0 along [111]

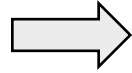


[100] surface
 Pb_1 along [211]

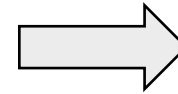
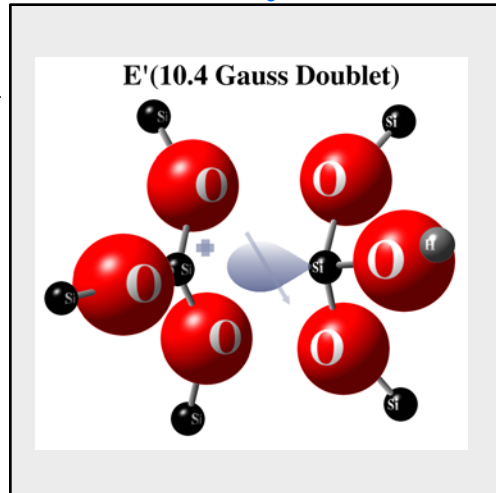
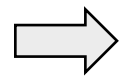
Of P_a , P_b , P_c -- only P_b survives
 Related to NBTI degradation
 (Lecture 10)

Electron Spin Resonance: a 'microscope' for defects

10 GHz Microwave

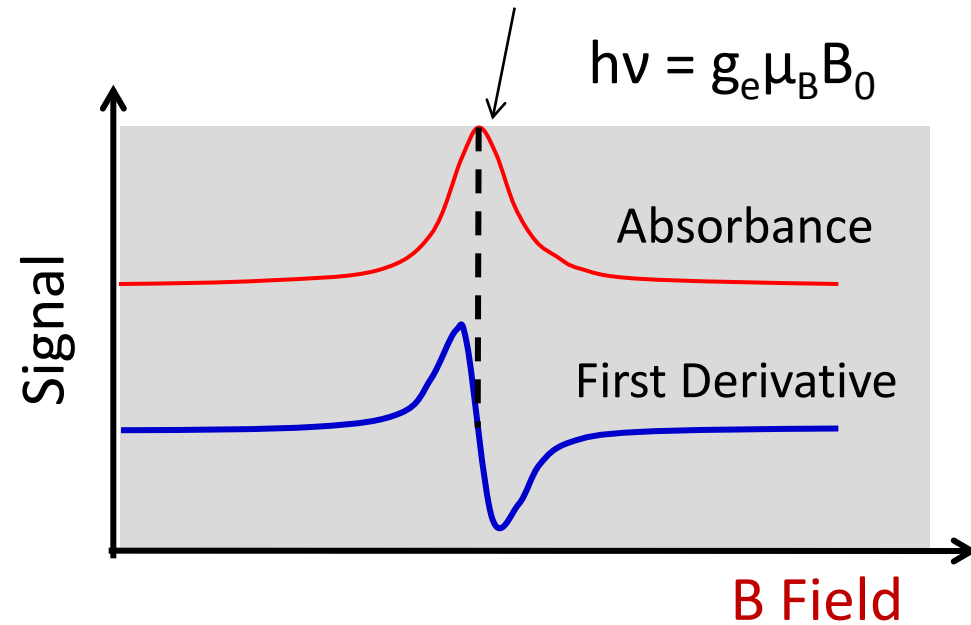
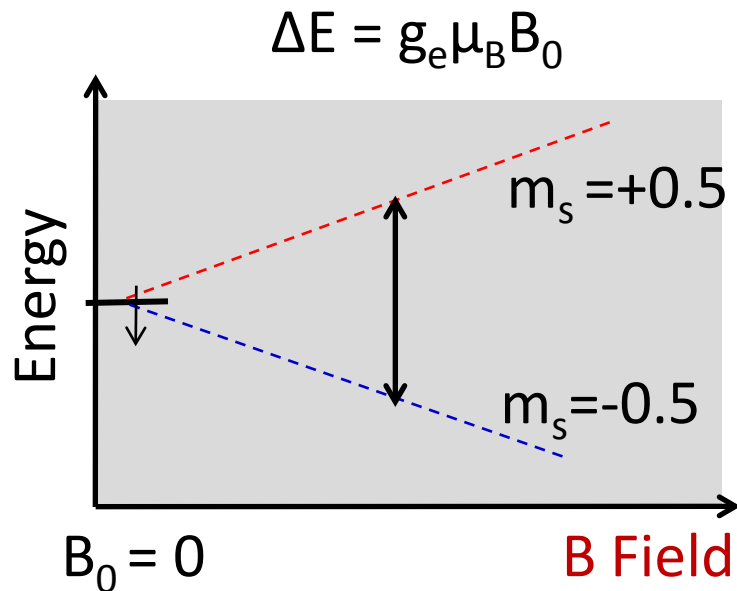


Variable B-field

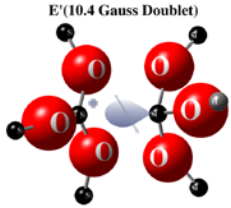


Absorption Spectra

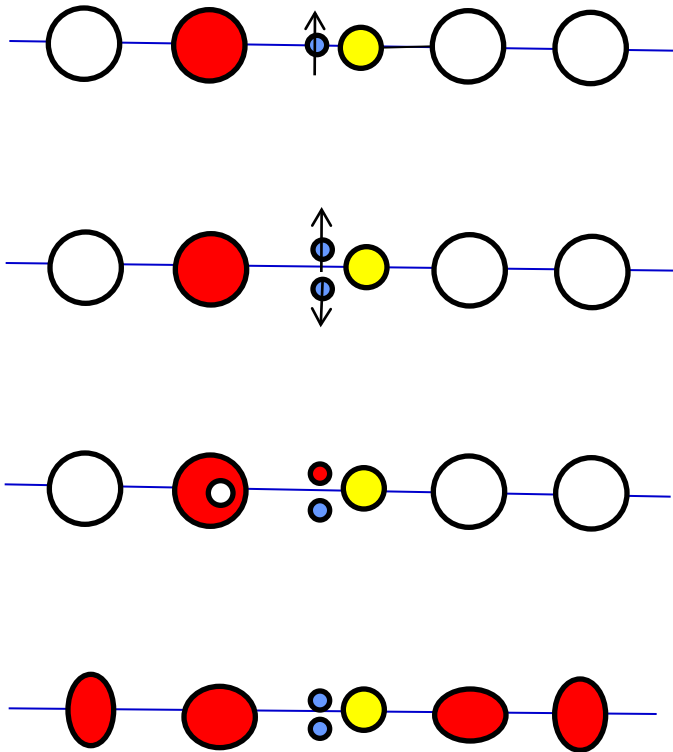
B-value suggests
local environment



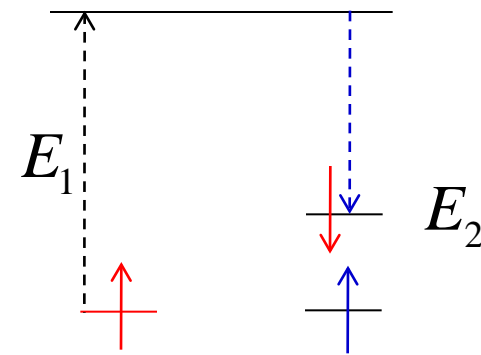
ESR Invisible Defects



Paramagnetic materials may appear diamagnetic



$$D_0 + E_1 = D^+ \quad D_0 - E_2 = D^-$$



$$2D_0 + (E_1 - E_2) = D^+ + D^-$$

$$2D_0 + (E_1 - E_2) - U_{e-h} = D^+ + D^-$$

Like superconductivity with phonon assisted e-e attraction

Conclusions

- Reliability is a very important technology problem. The success or failure of any technology depends on its intrinsic reliability (e.g. Stone vs. Cu age)
- Historically reliability has been an empirical science; it has changed dramatically since WWII (Military applications, AT&T trans-Atlantic cable, IBM mainframe, Introduction of CMOS).
- Reliability as a ‘Stochastic process with a threshold’ provides the physical basis for wide range of phenomena.
- There are many reliability concerns for electronic devices – an analysis of these problems begins with the analysis of the nature of defects. We will related bulk oxide E' centers to TDDB and depassivation of SiH bonds at the interface to NBTI.

Ring Statistics in Random Structure

Euler Relationship

$$V - E + N = 1$$

$$2E = 3V = \langle N_p \rangle N$$

$$\langle N_p \rangle = 6 = \sum_k k \times P_k$$

Prob. of
k-sided ring

$$6 = 9P_9 + 8P_8 + 7P_7 + 6P_6 + 5P_5 + 4P_4 + 3P_3$$

$$\text{Ex. } P_9 = P_8 = P_4 = P_3 \equiv P$$

$$P_7 = P_6 = P_5 \equiv 3P$$

$$78P \approx 6 \Rightarrow P \sim 1/12$$

Large rings pay steric penalty
and are therefore rare ...

